

# Outline

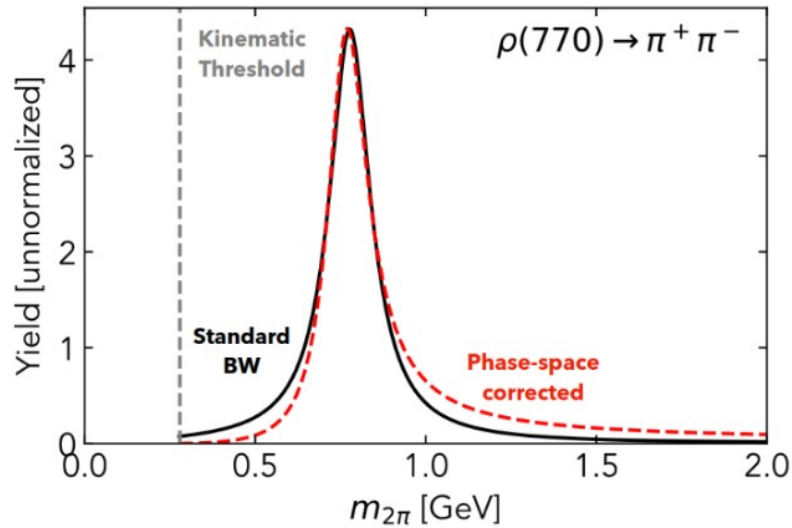
- Selection Criteria: (He4 and D2)
- Deuterium: Yield from Thrown MC, Simulated MC ,Data and efficiency
- Helium: Yield from Thrown MC, Simulated MC ,Data and efficiency
- Plots of Data Yield (He4 and D2)
- Luminosity calculation and plot of Yield/Luminosity
- Plots of Efficiency corrected yield
- Prelim Cross Section Ratio (He4/D2)

# Selection cut for both Helium and Deuterium

- Extra tracks =0;
- Extra Showers =0;
- Confidence Level cut  $> 0.001$
- Beam Energy  $> 6.5$  GeV
- Missing Momentum  $< 250$  Mev/c

# Phase-space Corrected Relativistic Breit-Wigner function (As a signal)

For wide resonances near threshold, this is a large distortion; especially big for the  $\rho(770)$



### 3. Contributions from $\rho^0$ , $f_0(980)$ , and $f_2(1270)$

Contributions from  $\rho^0$ ,  $f_0(980)$ , and  $f_2(1270)$  mesons are described analytically. The shapes of these resonances are described with a relativistic Breit-Wigner function (rBW) [64,65]:

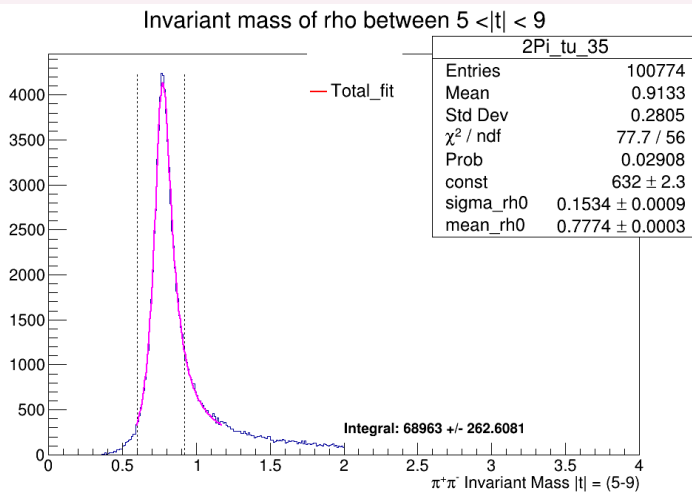
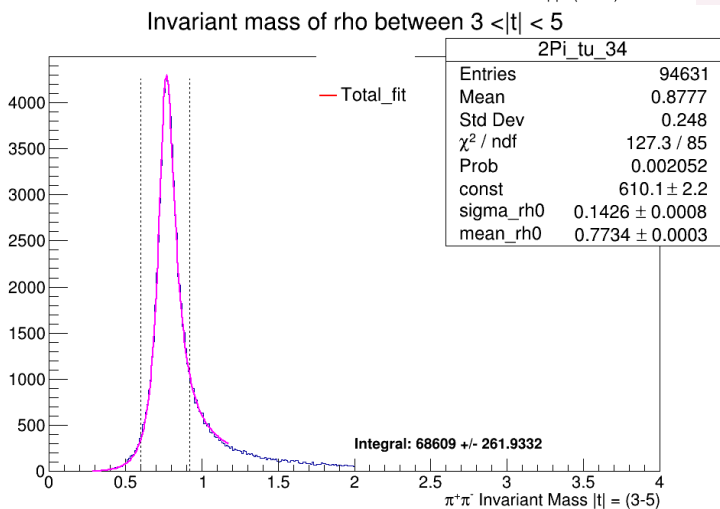
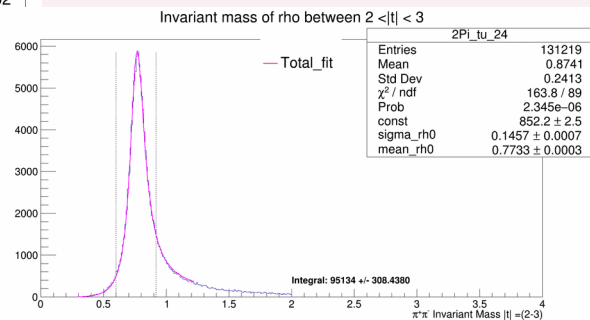
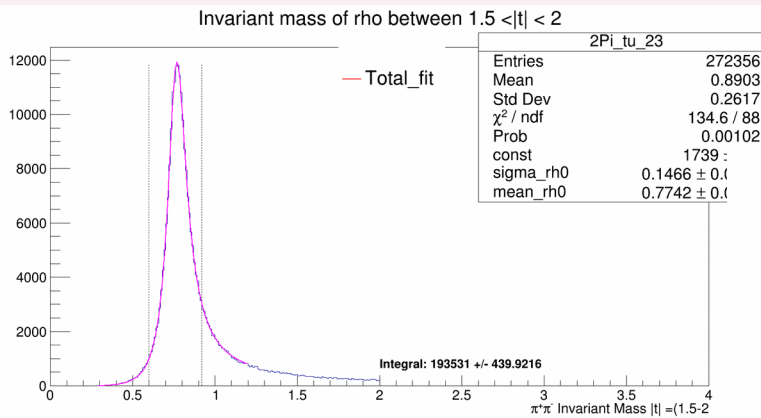
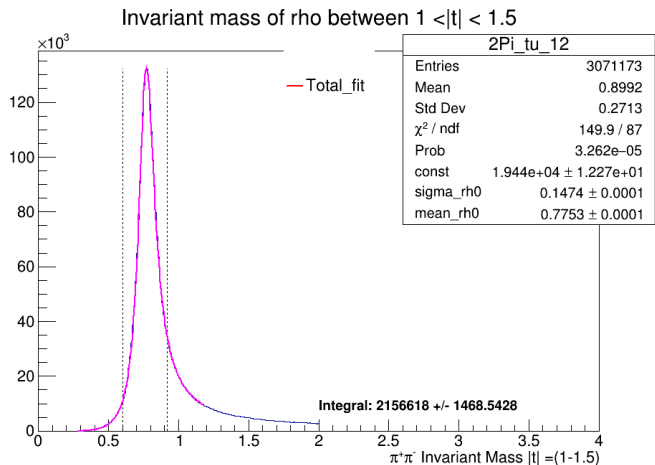
$$\text{rBW}(M_{\pi\pi}) = \frac{AM_{\pi\pi}M_0\Gamma(M_{\pi\pi})}{(M_0^2 - M_{\pi\pi}^2)^2 + M_0^2\Gamma^2(M_{\pi\pi})}, \quad (1)$$

where  $M_0$  is the mass of the resonance under study and  $A$  is a normalization constant. For wide resonances one should account for the dependence of the resonance width on mass:

$$\Gamma(M_{\pi\pi}) = \left( \frac{M_{\pi\pi}^2 - 4m_\pi^2}{M_0^2 - 4m_\pi^2} \right)^{(2J+1)/2} \times \Gamma_0 \times M_0/M_{\pi\pi}, \quad (2)$$

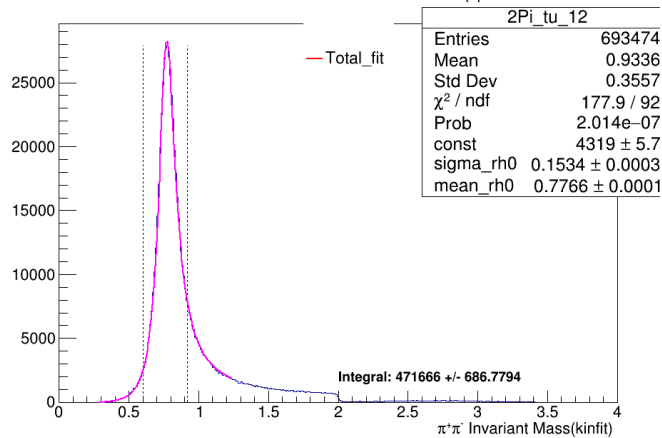
S. Acharya et al., Phys. Rev.C 91,064901 (2019)

# [A] Thrown MC: [ $\gamma + d \rightarrow \pi^+ + \pi^- + p + (n)$ ]

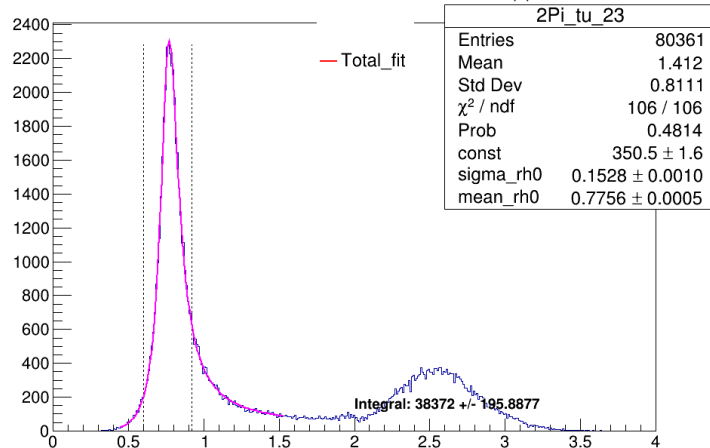


# [B] Reconstructed MC: [ $\gamma + d \rightarrow \pi^+ + \pi^- + p + (n)$ ]

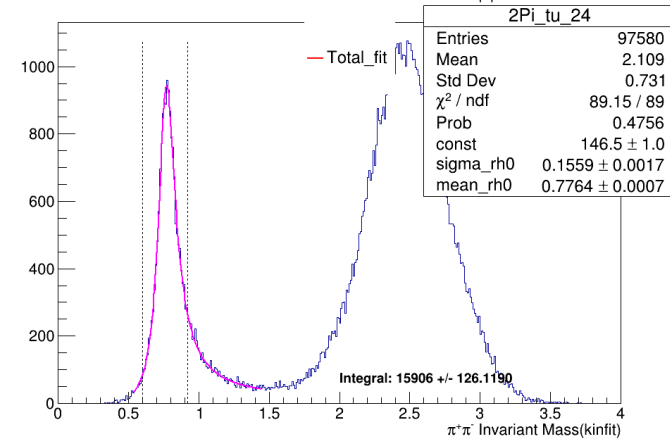
Invariant mass of rho between  $1 < |t| < 1.5$



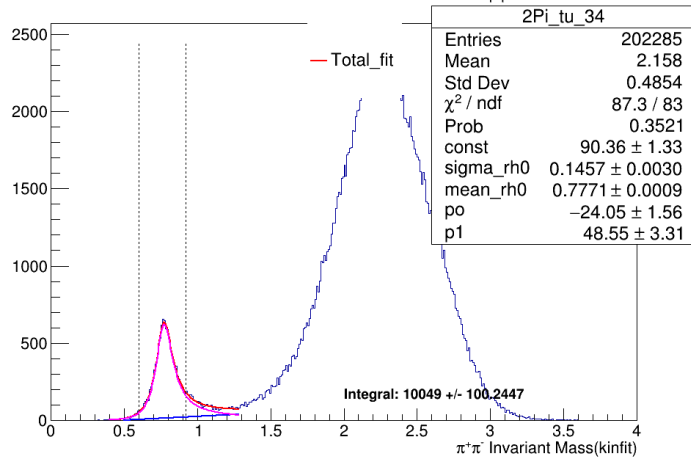
Invariant mass of rho between  $1.5 < |t| < 2$



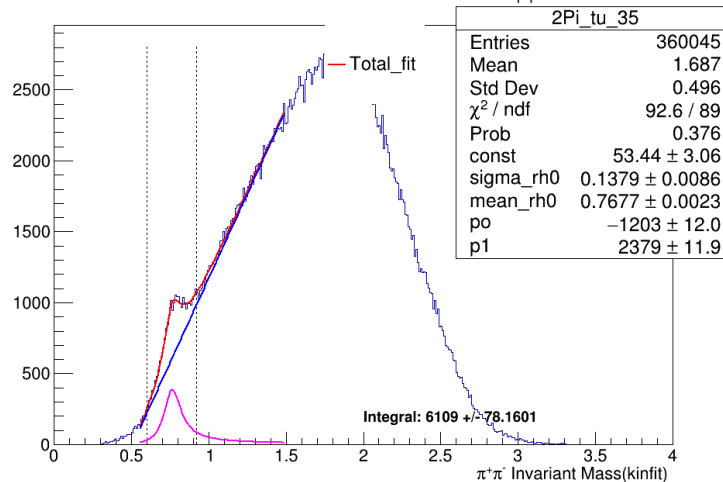
Invariant mass of rho between  $2 < |t| < 3$



Invariant mass of rho between  $3 < |t| < 5$

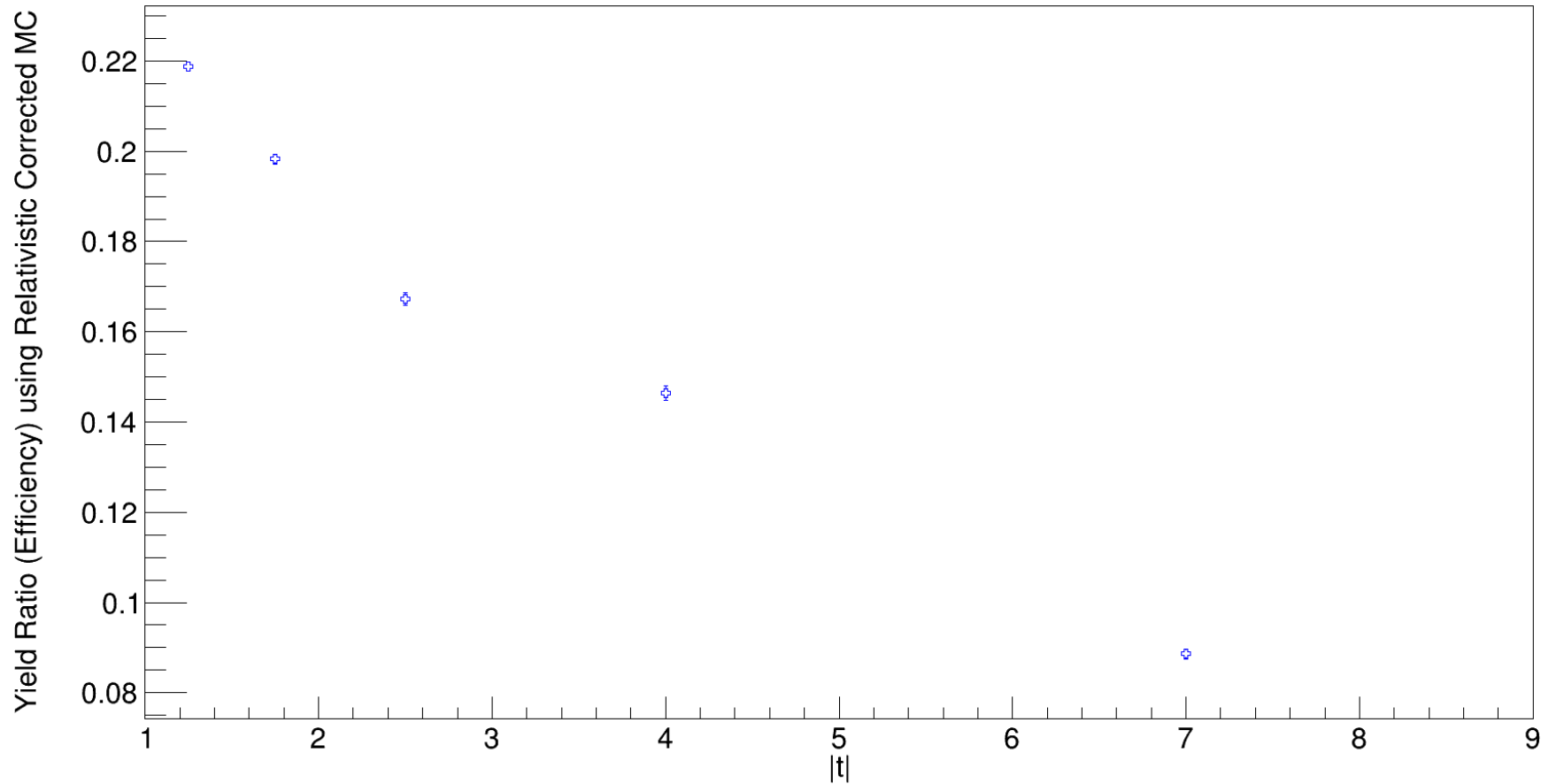


Invariant mass of rho between  $5 < |t| < 9$

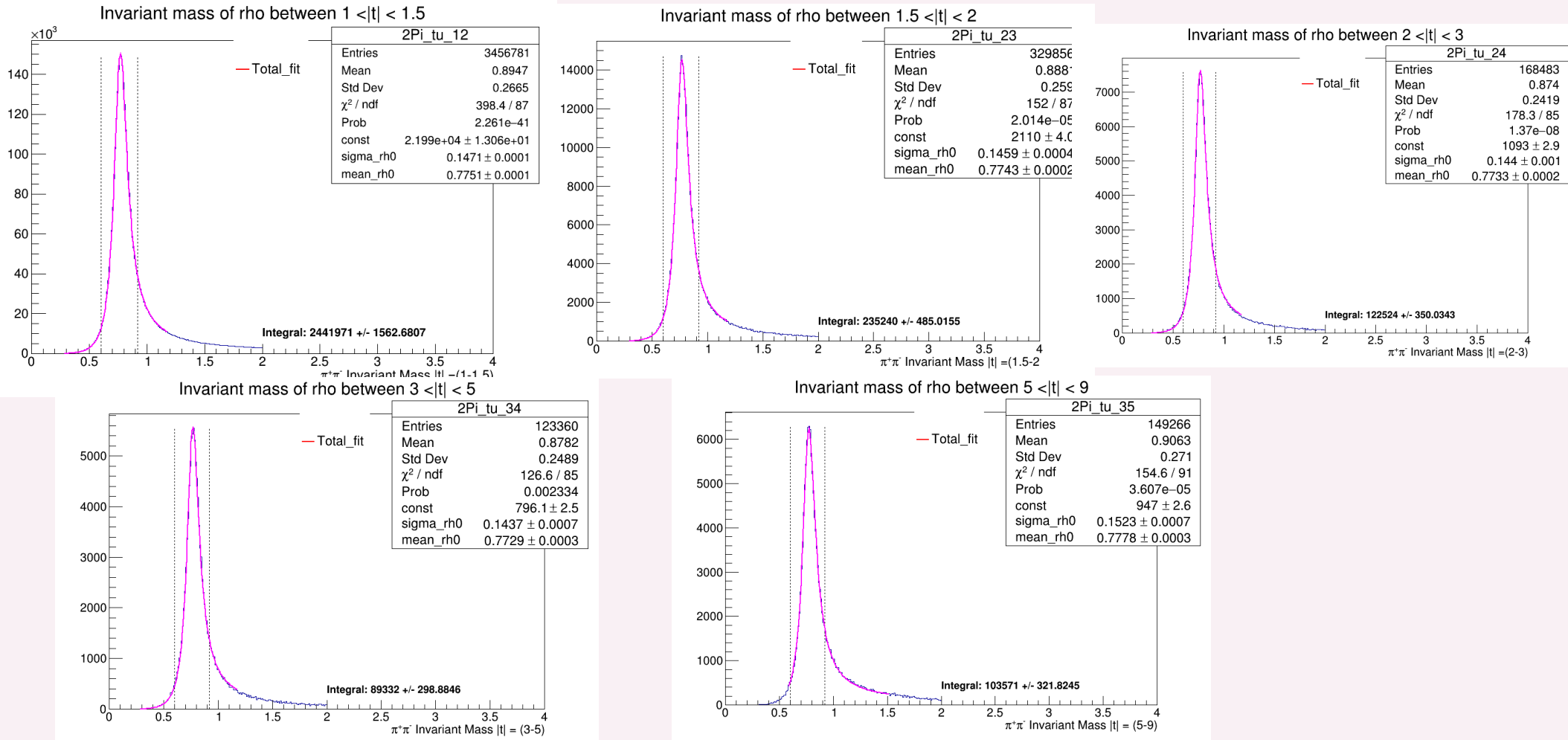


# [C] Efficiency: [ $\gamma + d \rightarrow \pi^+ + \pi^- + p + (n)$ ]

Ratio of Observed Sim to thrown\_sim

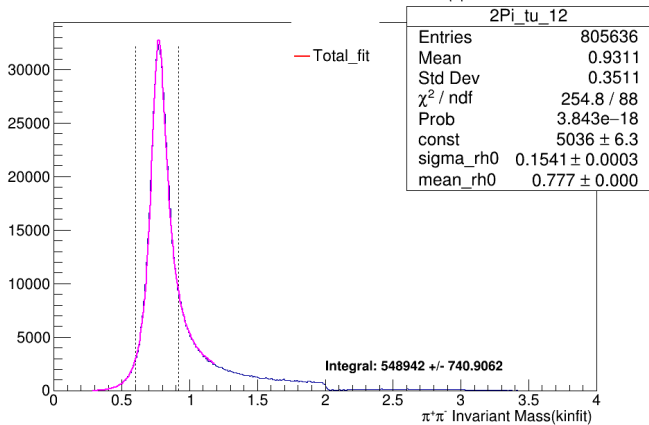


# [D] Thrown MC: [ $\gamma + \text{he4} \rightarrow \pi^+ + \pi^- + \text{p} + (\text{tritium})$ ]

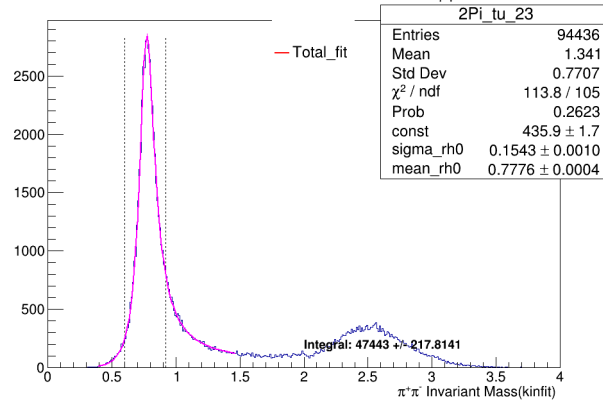


# [E] Reconstructed MC: [ $\gamma + \text{he4} \rightarrow \pi^+ + \pi^- + p + (\text{tritium})$ ]

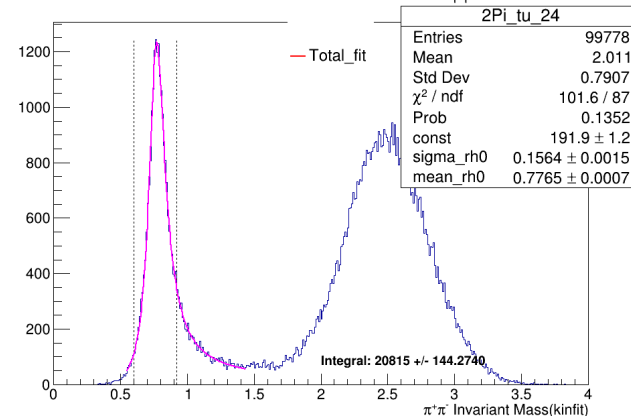
Invariant mass of rho between  $1 < |t| < 1.5$



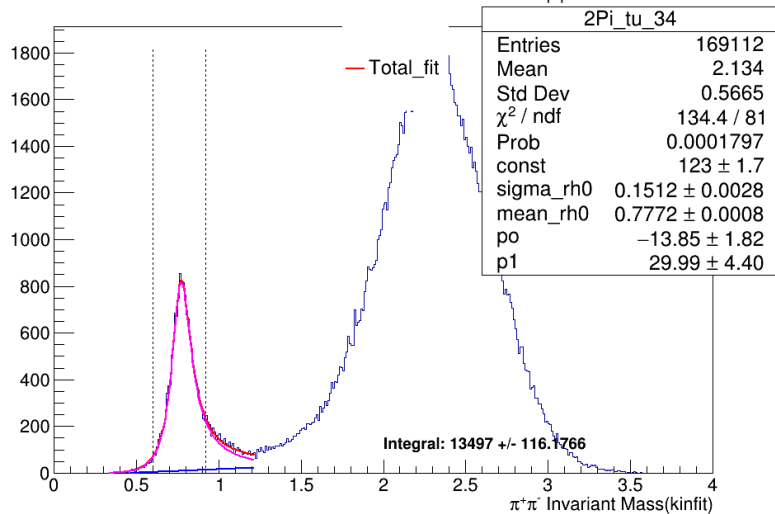
Invariant mass of rho between  $1.5 < |t| < 2$



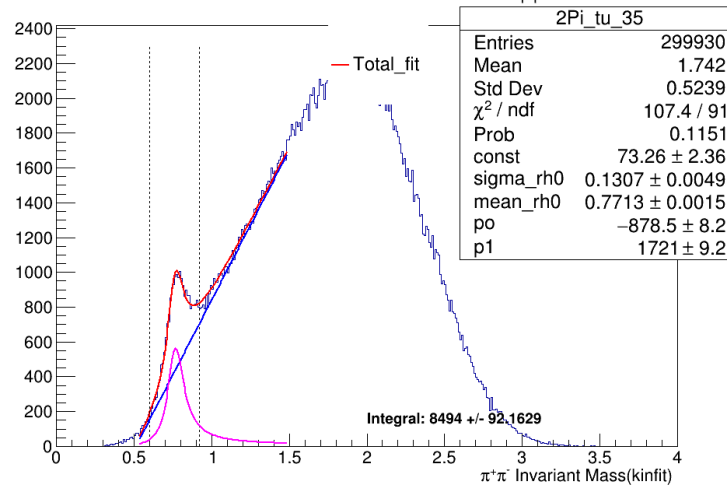
Invariant mass of rho between  $2 < |t| < 3$



Invariant mass of rho between  $3 < |t| < 5$

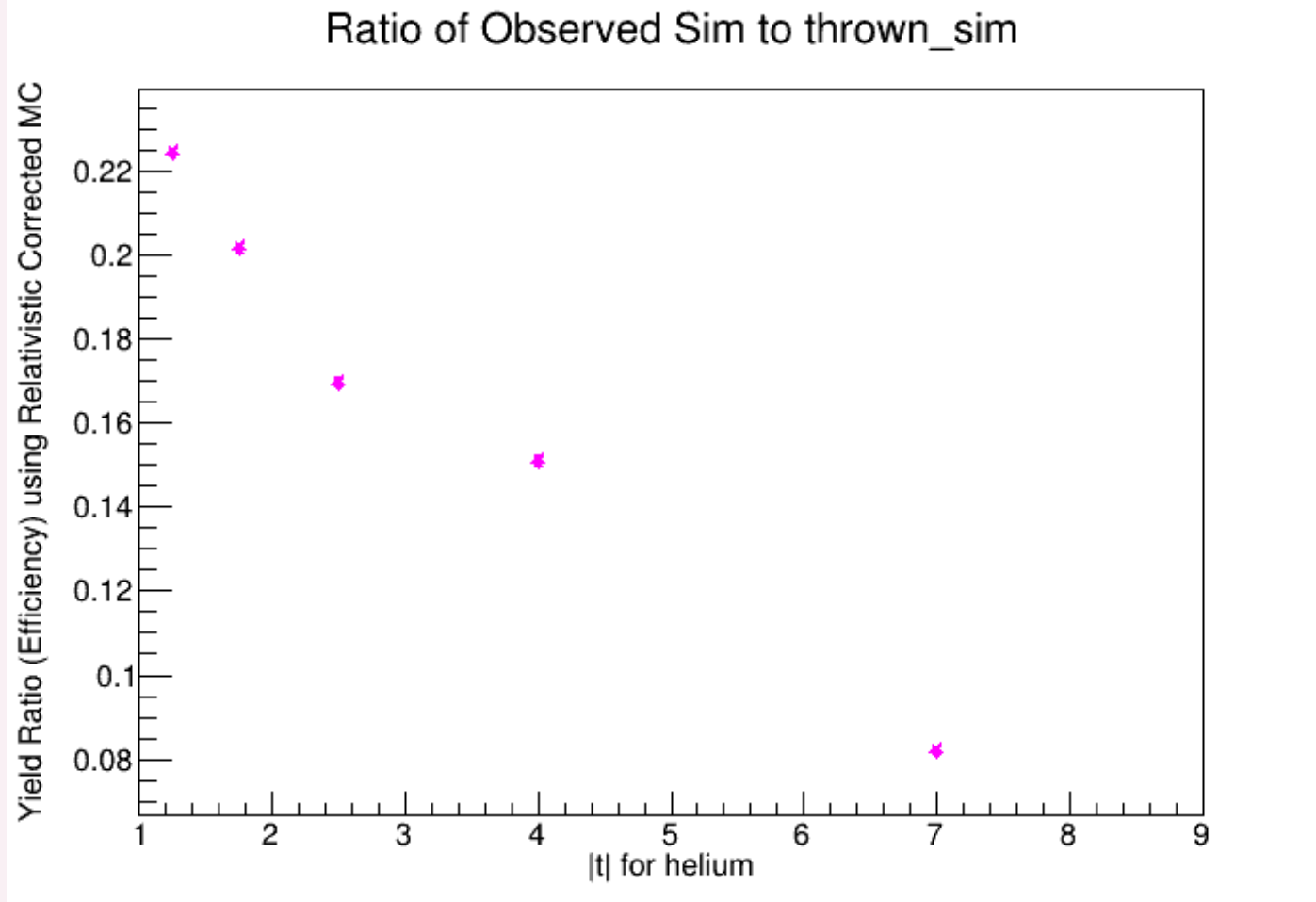


Invariant mass of rho between  $5 < |t| < 9$



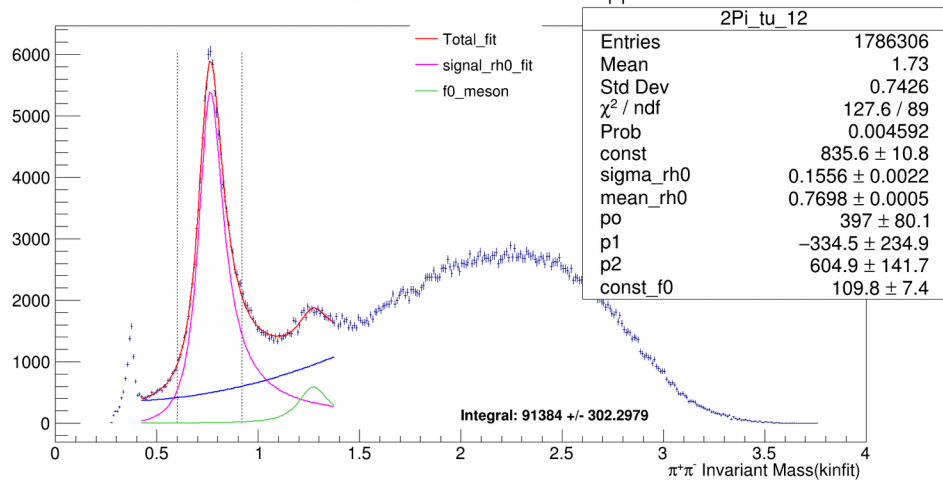


# [F] Efficiency: [ $\gamma + \text{he4} \rightarrow \pi^+ + \pi^- + \text{p} + (\text{tritium})$ ]

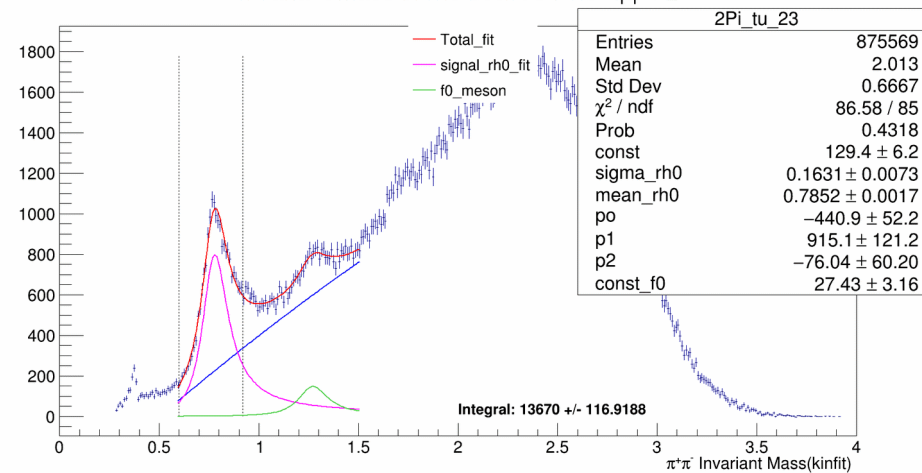


# [G] Yield Calculation: [ $\gamma + d \rightarrow \pi^+ + \pi^- + p + (n)$ ]

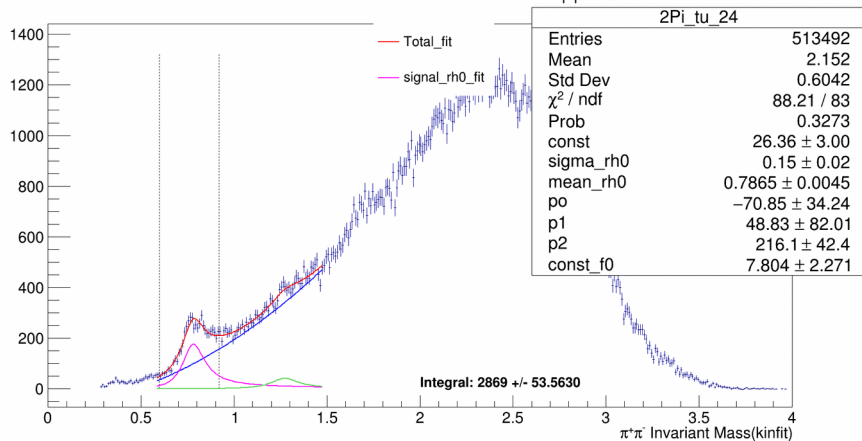
Invariant mass of rho between  $1 < |t| < 1.5$



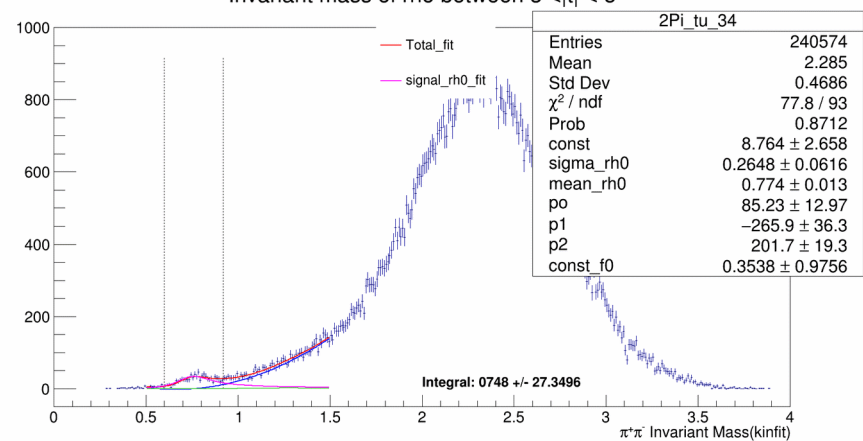
Invariant mass of rho between  $1.5 < |t| < 2$



Invariant mass of rho between  $2 < |t| < 3$

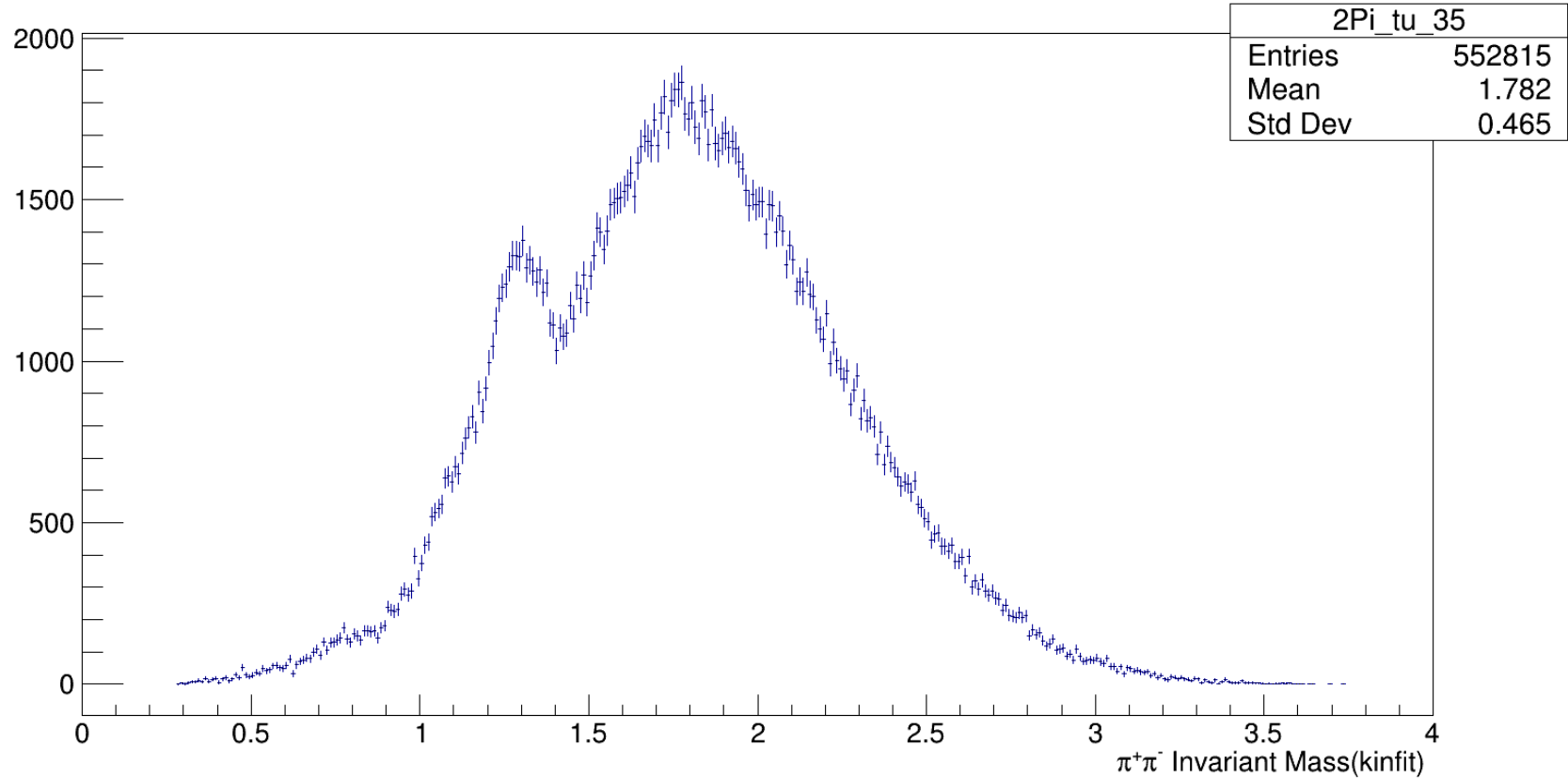


Invariant mass of rho between  $3 < |t| < 5$



# [H] Calculation: [ $\gamma + d \rightarrow \pi^+ + \pi^- + p + (n)$ ]

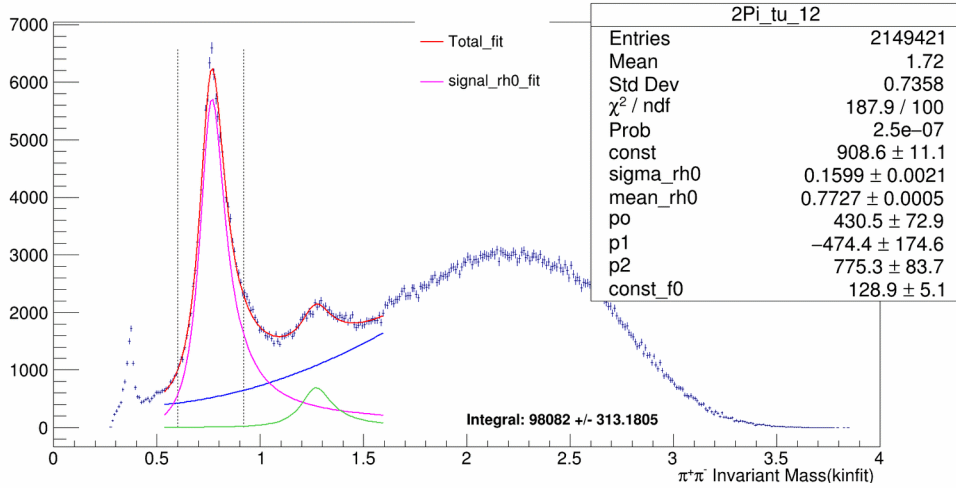
$|t| = (5-9)$



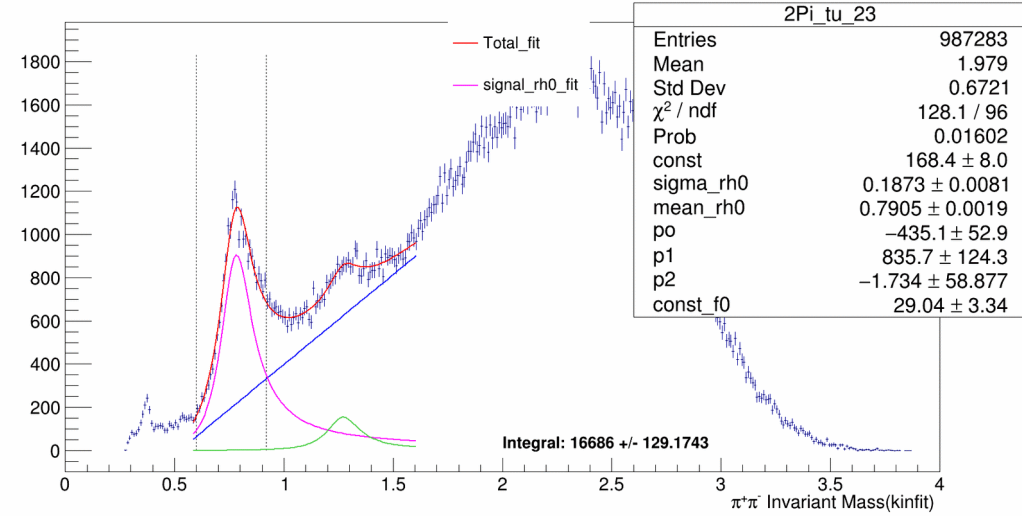
Still working out to remove background from Signal

# [I] Yield Calculation: [ $\gamma + \text{he4} \rightarrow \pi^+ + \pi^- + \text{p} + (\text{triton})$ ]

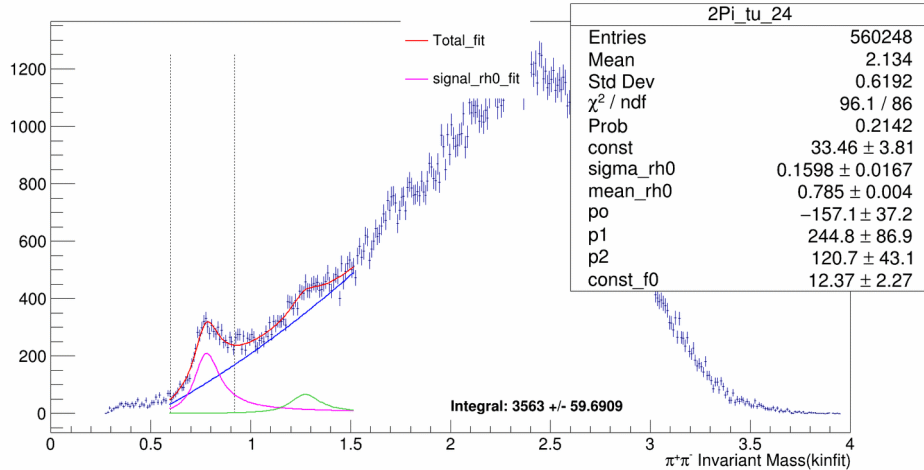
Invariant mass of rho between  $1 < |t| < 1.5$



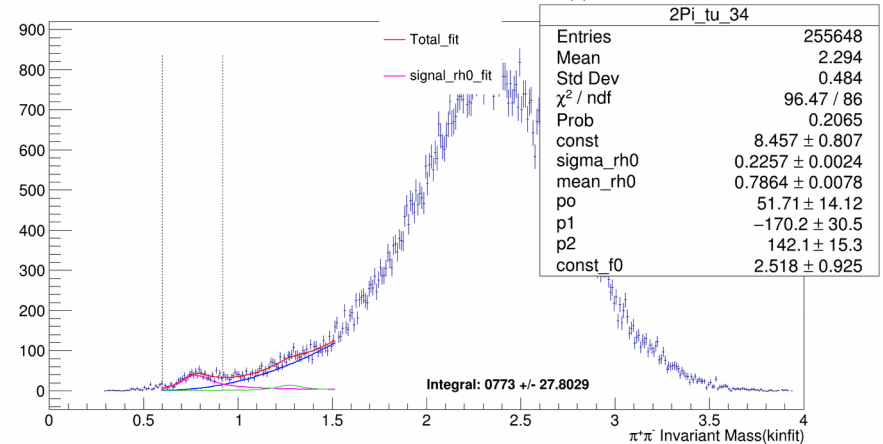
Invariant mass of rho between  $1.5 < |t| < 2$



Invariant mass of rho between  $2 < |t| < 3$

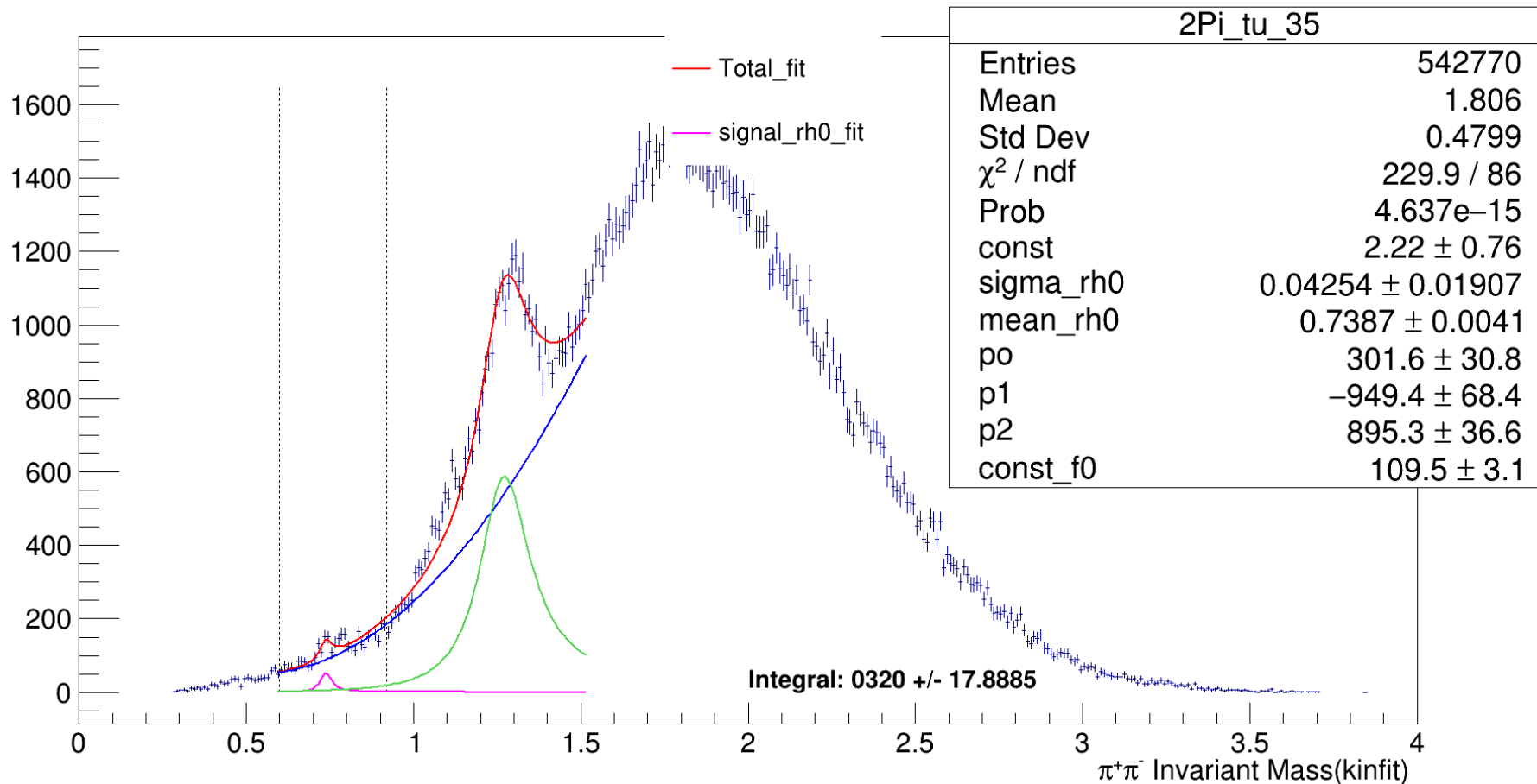


Invariant mass of rho between  $3 < |t| < 5$



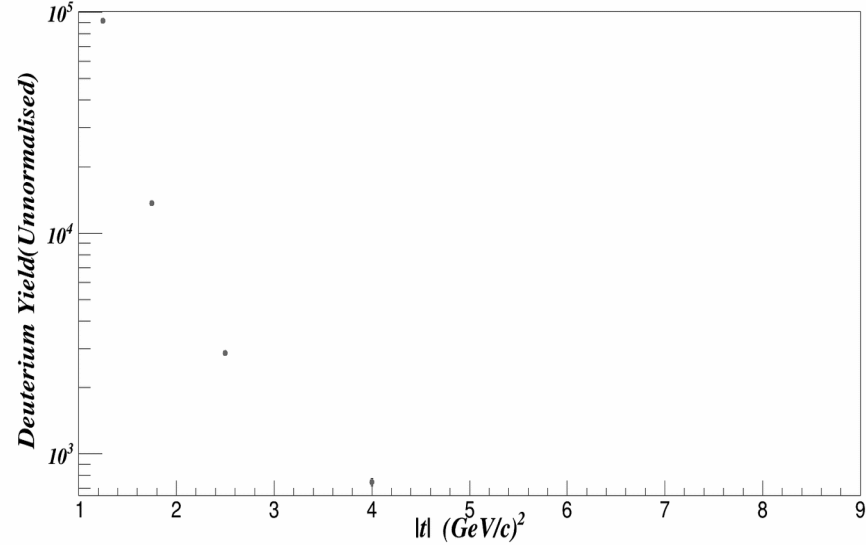
# [J] Yield Calculation: [ $\gamma + \text{he4} \rightarrow \pi^+ + \pi^- + \text{p} + (\text{triton})$ ]

Invariant mass of rho between  $5 < |t| < 9$

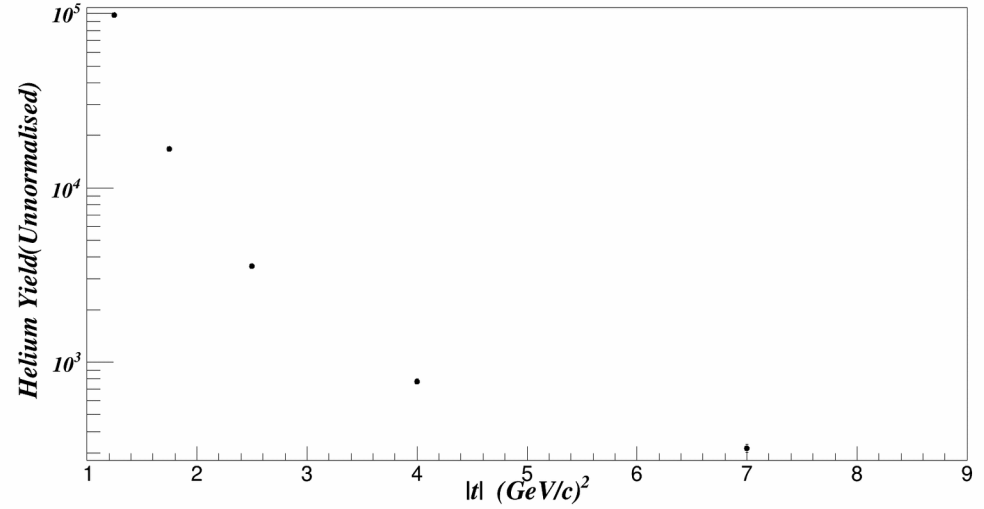


# [K] Yield Comparison

Deuterium Yield vs.  $|t|$  for Data




Helium Yield vs.  $|t|$  for Data




# [L] Flux Calculation for He4 and D2

## Flux for Helium

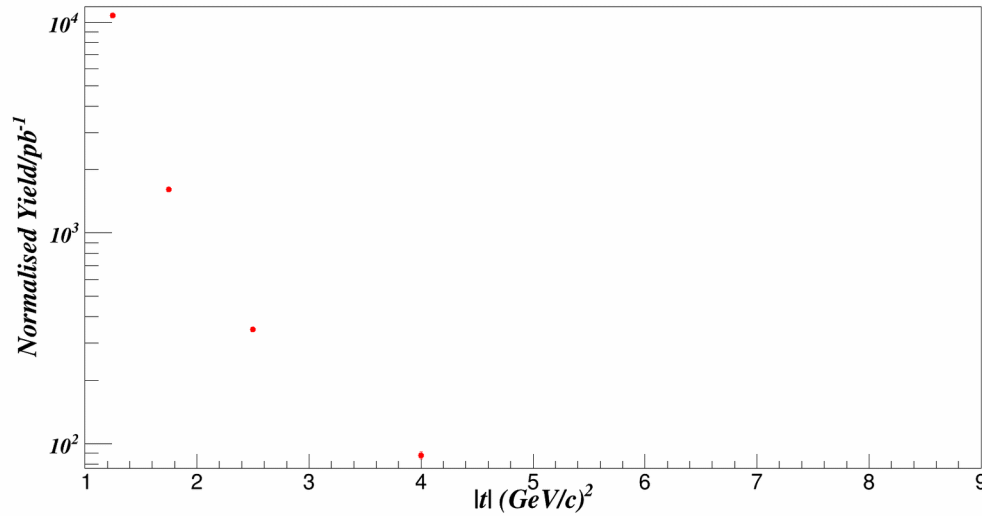
Total flux (E > 7.0 GeV) (10e12):	27.9635237	Lumi (per nucleus) (pb-1)	15.1032269	
Total flux (E > 8.0 GeV) (10e12):	21.5820348	Lumi (per nucleus) (pb-1)	11.6565556	
Total flux (E > 6.5 GeV) (10e12):	29.2721365	Lumi (per nucleus) (pb-1)	15.8100147	

## Flux for Deuterium

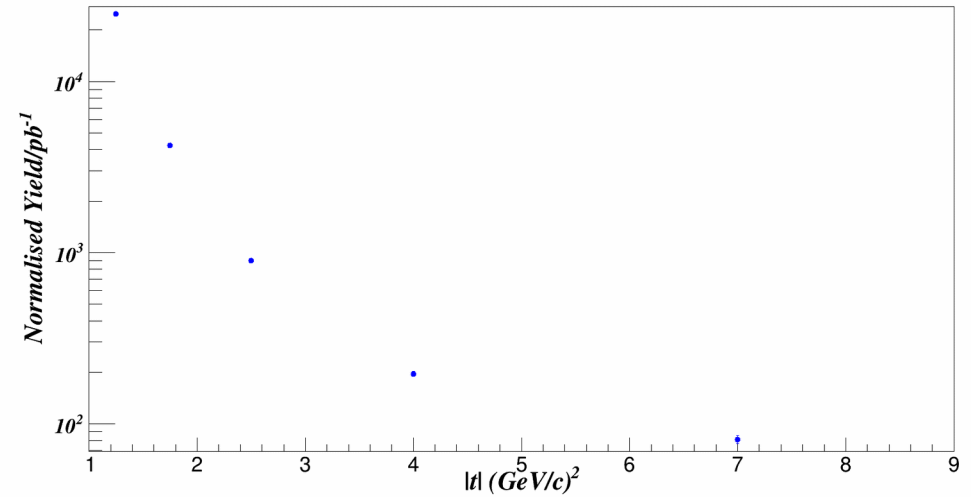
Total flux (E > 7.0 GeV) (10e12):	11.2603676	Lumi (per nucleus) (pb-1)	16.2697120	
Total flux (E > 8.0 GeV) (10e12):	8.8104260	Lumi (per nucleus) (pb-1)	12.7298769	
Total flux (E > 6.5 GeV) (10e12):	11.7697761	Lumi (per nucleus) (pb-1)	17.0057385	

# [M] Normalised Yield with Luminosity

Yield/ $\text{pb}^{-1}$  vs.  $|t|$  for observed Data Deuterium.



Yield/ $\text{pb}^{-1}$  vs.  $|t|$  for observed Data Helium.



Normalised Yield = Yield / (Lumi per nucleus / A)

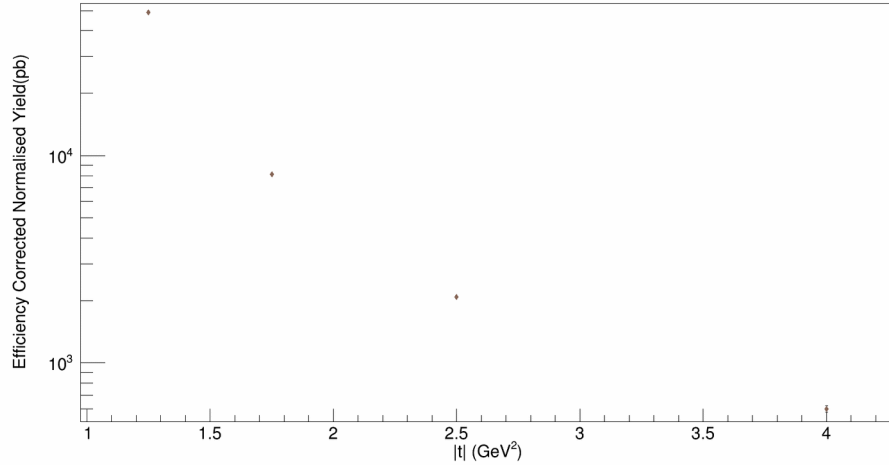
Where A = 2 for D;

And A = 4 for He4;

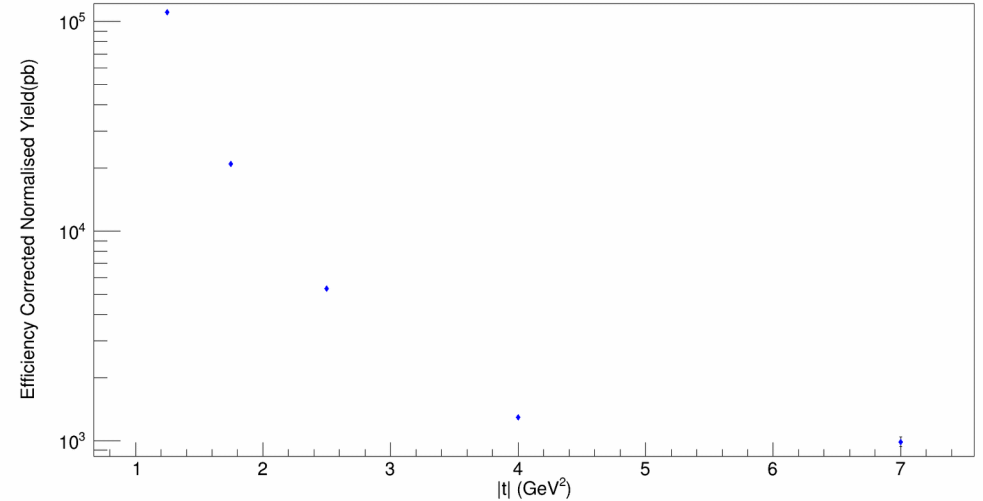


# [N] Efficiency corrected Normalised Yield for D2 and He4

Efficiency Corrected Normalised Yield(pb) on Deuterium target

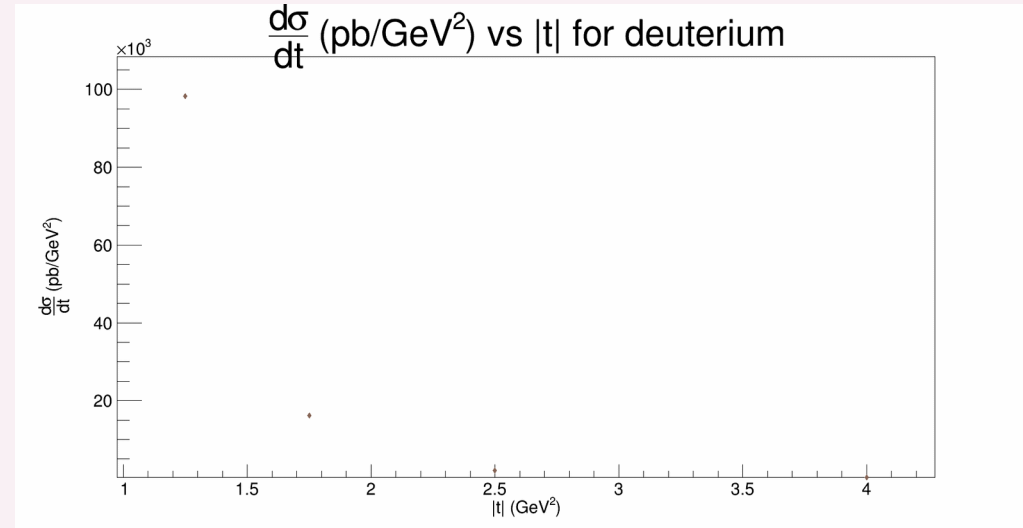
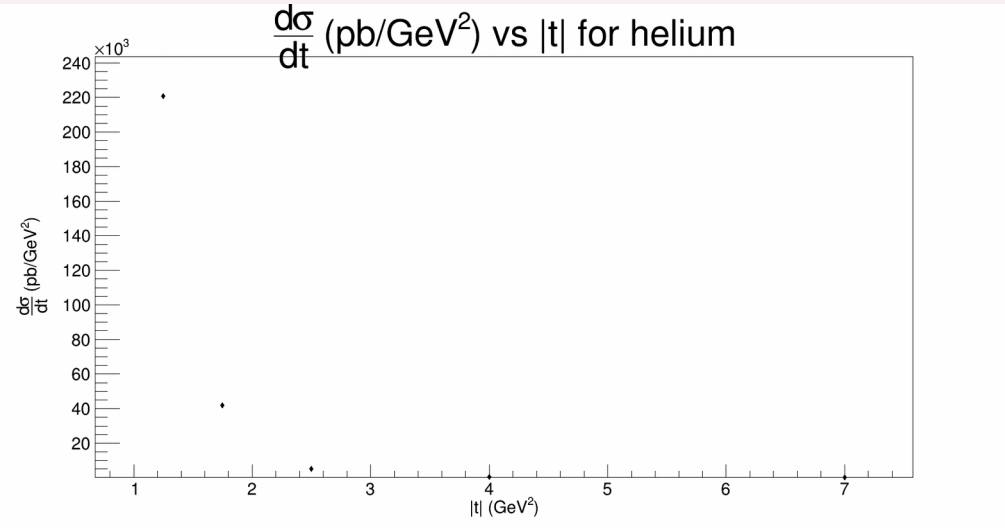


Efficiency Corrected Normalised Yield(pb) Helium target



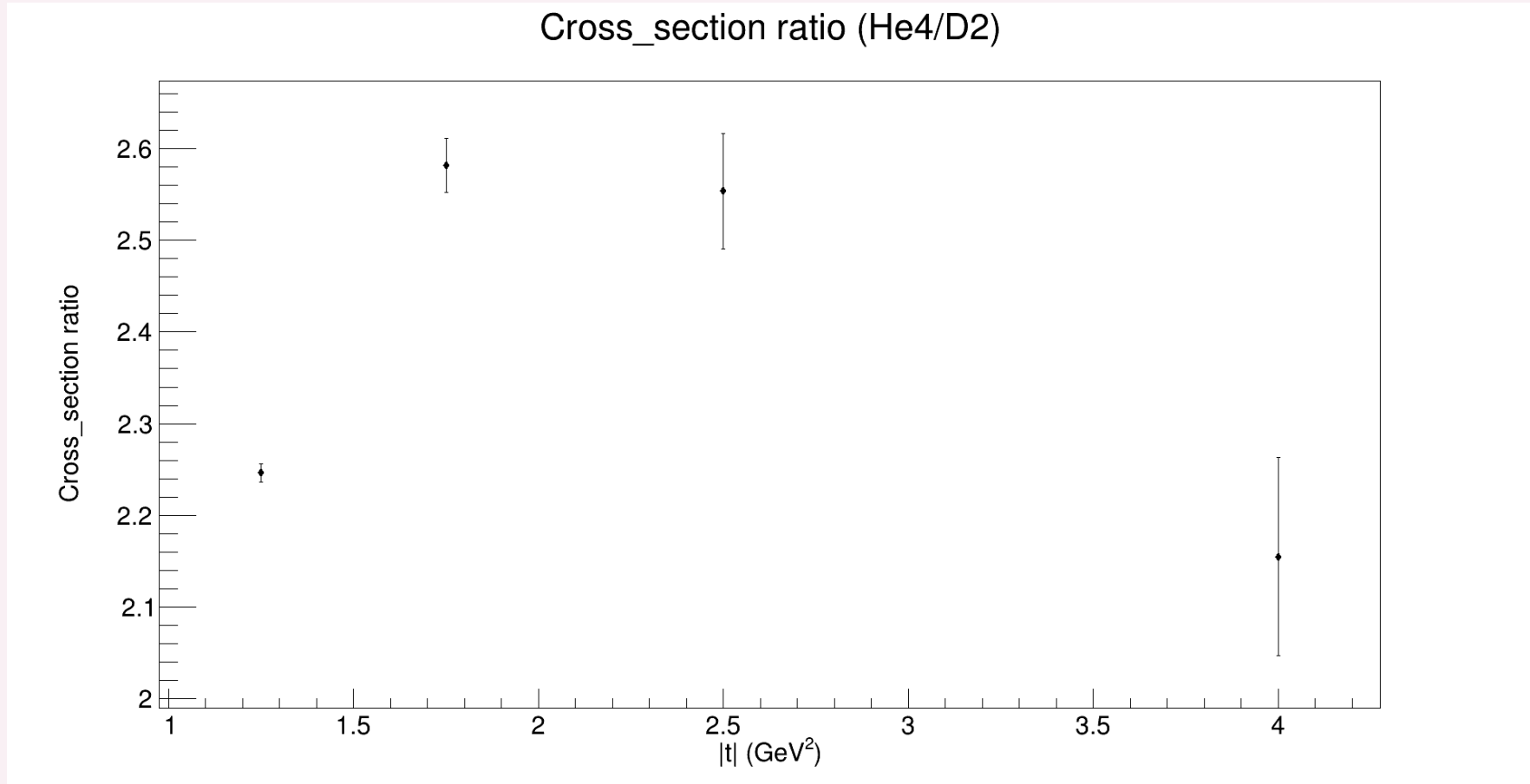
Dividing Normalised yields by efficiency

# [O] dsigma/dt Calculation



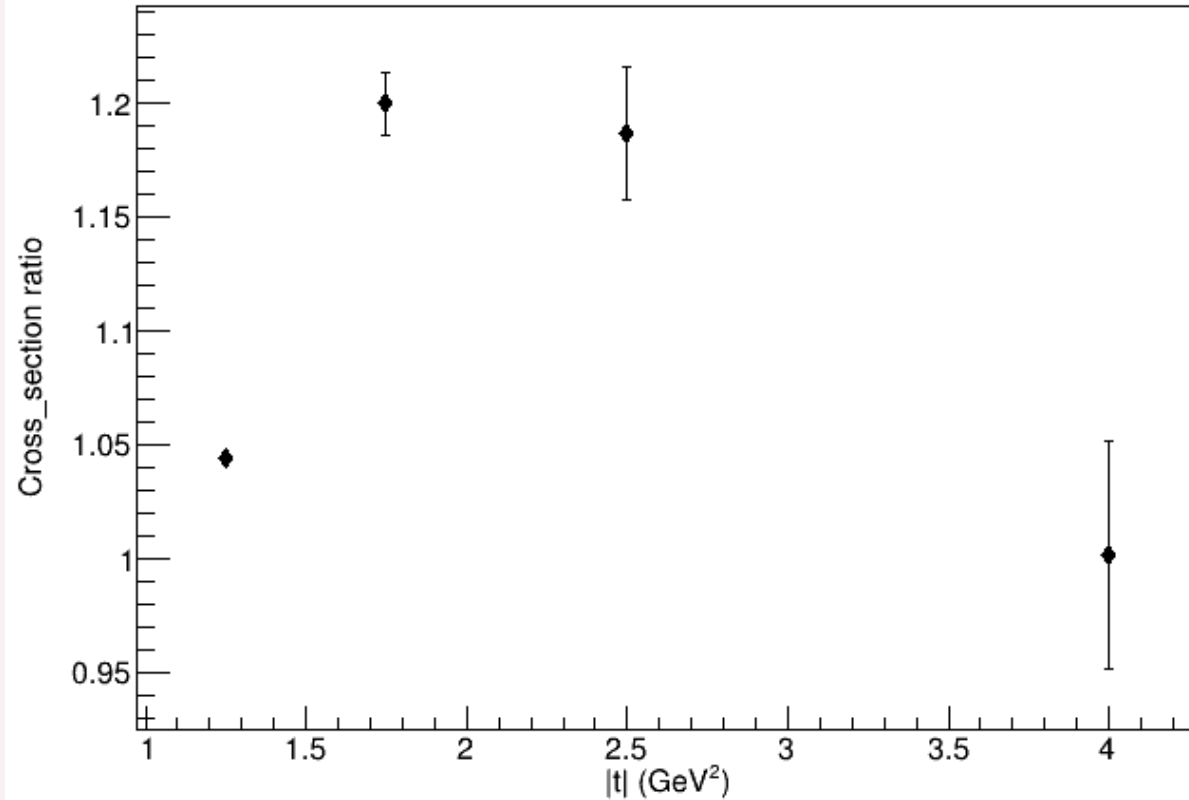
Dividing Efficiency corrected yield with bin size of |t|

# Prelimn Results: Cross-Section Ratio



# Backup

Cross\_section ratio (He4/D2)



Dividing  
 $(\text{Yield\_Heli}/\text{Effic\_He})/(\text{Yield\_Deu}/\text{Effi\_De})$