High t Rates

Axel Schmidt SRC/CT Daily Analysis Meeting November 19, 2021

Reproducing the proposal's back-of-theenvelope numbers

All numbers will be in terms of "Events per calendar day (50% live)."

$$N = \sigma \cdot \frac{A}{2} \cdot A^{-\frac{1}{3}} \cdot F \cdot \rho \cdot \epsilon \cdot t$$

- $F = 2 \times 10^7$ photons / s
- $\epsilon = 0.64$
- t = 43,200 s
- + $ho_d = 1.5 imes 10^{24}$ deuterium nuclei / cm²

•
$$\rho_{He} = 5.7 \times 10^{23}$$
 helium nuclei / cm²
 $N_d = \sigma \cdot 6.6 \times 10^{35} \text{ cm}^{-2} = \sigma \cdot 6.6 \times 10^2 \ nb^{-1}$
 $N_{He} = \sigma \cdot 4.0 \times 10^{35} \text{ cm}^{-2} = \sigma \cdot 4.0 \times 10^2 \ nb^{-1}$

Reproducing the proposal's back-of-theenvelope numbers

All numbers will be in terms of "Events per calendar day (50% live)."

$$N = \sigma \cdot \frac{A}{2} \cdot A^{-\frac{1}{3}} \cdot F \cdot \rho \cdot \epsilon \cdot t$$

- $F = 2 \times 10^7$ photons / s
- $\epsilon = 0.64$
- t = 43,200 s
- + $ho_d = 1.5 imes 10^{24}$ deuterium nuclei / cm²

•
$$\rho_{He} = 5.7 \times 10^{23}$$
 helium nuclei / cm²
 $N_d = \sigma \cdot 6.6 \times 10^{35} \text{ cm}^{-2} = \sigma \cdot 6.6 \times 10^{2} nb^{-1}$
 $N_{He} = \sigma \cdot 4.0 \times 10^{35} \text{ cm}^{-2} = \sigma \cdot 4.0 \times 10^{2} nb^{-1}$

Cross section model for
$$n(\gamma, \pi^-)p$$

For a stationary neutron:

$$\frac{d\sigma}{d\cos\theta_{cm}} = 2.5 \times 10^7 nb \ GeV^{12} \cdot k_{cm} k_{cm}' s^7 (1 - \cos\theta_{cm})^{-5} (1 + \cos\theta_{cm})^{-4}$$

We have different ways to handle nucleon motion:

- Ignore it, treat all nucleons as stationary
- Maria's model (Meson mom. set by s, boost from CM frame)
- Our generator's model (Pair decay function, constrained E*)

Cross section model for
$$n(\gamma, \pi^-)p$$

For a stationary neutron:

$$\frac{d\sigma}{d\cos\theta_{cm}} = 2.5 \times 10^7 nb \ GeV^{12} \cdot k_{cm} k_{cm}' s^7 (1 - \cos\theta_{cm})^{-5} (1 + \cos\theta_{cm})^{-4}$$

We have different ways to handle nucleon motion:

- Ignore it, treat all nucleons as stationary
- Maria's model (Meson mom. set by s, boost from CM frame)
- Our generator's model (Pair decay function, constrained E*)

I now can run some version of the original code!

Proposal Figure for Deuterium



Figure 24: The expected count rate for 10 days running as a function of |t| for Deuterium

Proposal Figure for Deuterium



Proposal Figure for Deuterium



Comparing to back-of-the-envelope



I would expect Proposal to fill in more due to Fermi motion.

Validating the Back-of-Envelope Hall A, L. Y. Zhu et al., PRC 71 044603 (2005)



Comparing to Generator



Back-of-envelope:

- $E_{beam} = 9 \text{ GeV}$
- $|t| > 2 \, \text{GeV}$

•
$$|u| > 2 \text{ GeV}$$

Proposal and Generator

•
$$E_{beam} = 9 \text{ GeV}$$

•
$$|t| > 2 \text{ GeV}$$

- |*u*| > 2 GeV
- $p_{miss} < 0.25 \text{ GeV}$ $40^{\circ} < \theta_{CM} < 140^{\circ}$

Comparing Generator to Data

Some caveats:

- I'm assuming nominal proposal flux, 50% running efficiency
- I'm using an outdated energy spectrum (real coherent edge is slightly lower)
- I'm not using Geant, just generator output

Cuts common to data, GCF

- |t| > 2 GeV
- |*u*| > 2 GeV
- $k_{miss} < 0.25 \text{ GeV}$
- $\theta_p > 2^\circ$
- $E_{\pi} + E_p > 7 \text{ GeV}$
- $E_{\gamma} > 6 \ GeV$

Luminosity assumptions for the GCF:

- 2E7 photons / s in 8–9 GeV
 - (37% of our simulated spectrum)

Comparing Generator to Data



Rough list of problems with this study

- Generator doesn't have a ρ^- cross section model
 - We've assumed same as ρ^0 in the past, but that's not compatible with our data.
- Didn't pass events through GlueX Geant
- No experimentally determined flux
- Beam energy spectrum is not completely accurate
- Trigger efficiency?
- Reconstruction efficiency?