

# Beyond the Born Approximation

## Measuring the Two Photon Exchange Correction in Hall D

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Hall D PWG

Newport News, VA

October 22, 2012



# Start with some conclusions

- Large discrepancy in  $G_E^p$  measurements that grows with  $Q^2$ 
  - Resolvable by considering  $\sigma(e^+p)/\sigma(e^-p)$
- CLAS eg5 experiment
  - Produced simultaneous  $e^+/e^-$  ( $\sim 100$  pA each)
  - Continuous beam energy distribution (Brem. beam)
  - Wide  $Q^2$  and angle ( $\epsilon$ ) coverage
- Control over systematics
  - Extensive beam profiling
  - Simultaneous  $e^+/e^-$  measurements
  - Reversed magnets to remove acceptance and beam asymmetries
- Initial Hall B results consistent with  $e^+/e^-$  ratio needed to resolve  $G_E^p$  discrepancy.
- This experiment can be done much better in Hall D!
  - Discrepancy grows with  $Q^2$
  - Can select high energy photons in Hall D
  - Tagger is in separate building
  - Install chicane magnet in Hall D alcove (install hermetic shielding wall)

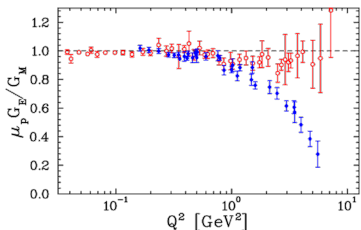
# Purpose of presenting today

- Show you some preliminary results from the Hall B experiment
- Let you know that we are interested in doing Hall B-like TPE experiment in Hall D
- Why we think Hall D can do it better.
- Who else is interested?
- Are there any show stoppers?

- 1 Physics Motivation
- 2 TPE
- 3 Experiment
- 4 Analysis overview
- 5 Results
- 6 Hall D



# The Proton Formfactor Puzzle



- **Rosenbluth Separation:** (SLAC, MIT BATES, JLab et al.)

$$\sigma_r = \left( \frac{d\sigma}{d\Omega} \right) \left[ \frac{\varepsilon(1 + \tau)}{\sigma_{mott}} \right] = \tau G_M^2 + \varepsilon G_E^2$$

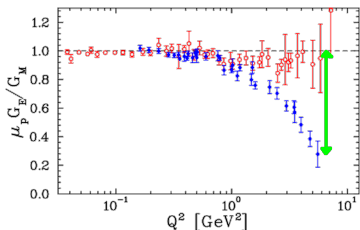
$$\varepsilon = \left[ 1 + 2(1 + \tau) \tan^2 \theta_e / 2 \right]^{-1} \quad \tau = \frac{Q^2}{4M^2}$$

- Separate  $G_E$  and  $G_M$  contributions at a particular  $Q^2$  using different beam energies and scattered electron angles
- $G_M$  measurement dominates at high  $Q^2$ ,  $G_E$  is suppressed
- **Polarization Transfer:** (Hall A & C)

$$\frac{G_E}{G_M} = - \frac{P_t}{P_l} \frac{(E_e + E_{e'})}{2M} \tan \frac{\theta_e}{2}$$

- Longitudinal polarized electrons incident on proton target
- Measure transverse and longitudinal polarization of recoiled proton

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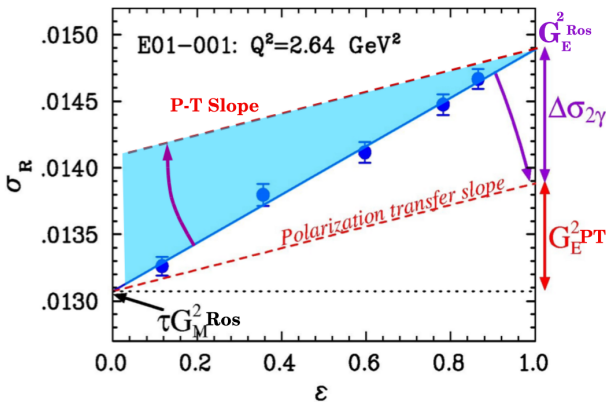
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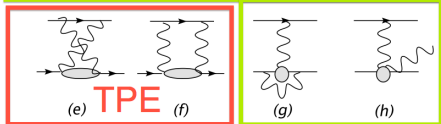
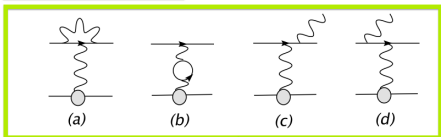
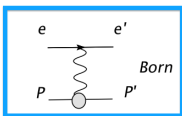
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# Beyond the Born Approximation



- Use  $G_M$  from Rosenbluth Separation and  $G_E$  from Polarization Transfer
- To account for the difference we need a  $\varepsilon$  dependent correction to the cross section on the order of a few percent

# TPE Contribution



- Modified  $G_E$  and  $G_M$
- New  $\varepsilon$  dependent term

The general **1** -  $\gamma$  and **2** -  $\gamma$  exchange amplitudes

$$A = \frac{e^2}{Q^2} \bar{u}(k') \gamma^\mu u(k)$$

$$\mathbf{1} : \times \bar{u}(p') \left[ G_M \gamma^\mu - F_2 \frac{P^\mu}{M} \right] u(p)$$

$$\mathbf{2} : \times \bar{u}(p') \left[ \tilde{G}_M \gamma^\mu - \tilde{F}_2 \frac{P^\mu}{M} + \tilde{F}_3 \frac{\gamma K P^\mu}{M^2} \right] u(p)$$

The general **1** -  $\gamma$  and **2** -  $\gamma$  exchange cross section

$$\mathbf{1} : \frac{d\sigma}{d\Omega} \propto [\varepsilon G_E^2 + \tau G_M^2]$$

$$\mathbf{2} : \frac{d\sigma}{d\Omega} \propto [\varepsilon \tilde{G}_E^2 + \tau \tilde{G}_M^2]$$

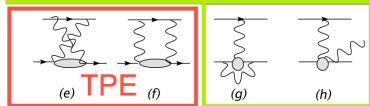
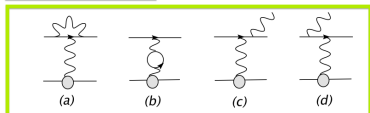
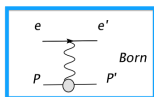
$$+ \left[ 2\varepsilon \left( \tau |\tilde{G}_M| + |\tilde{G}_E \tilde{G}_M| \right) Y_{2\gamma} \right]$$

$$Y_{2\gamma} \propto \text{Re} \left( \frac{\tilde{F}_3}{|\tilde{G}_M|} \right)$$

Guichon and Vanderhaeghen, PRL 91 (03) 142303

# Positrons to the rescue!

- The Born amplitude changes sign as the the charge of the incident beam.
- The leading TPE terms of the elastic scattering cross section are sensitive to the lepton charge



The elastic  $e^\pm p \rightarrow e^\pm p$  scattering contribution:

$$\sigma(e^\pm) \propto |A_{born} + \dots \pm A_{2\gamma}|^2$$

$$\sigma(e^\pm) \propto |A_{born}(\alpha)|^2 \pm 2A_{born}(\alpha)\text{Re}(A_{2\gamma})$$

The ratio of the cross sections isolates the TPE correction term

$$R = \frac{\sigma(e^+)}{\sigma(e^-)} = 1 - 2\delta_{2\gamma}$$

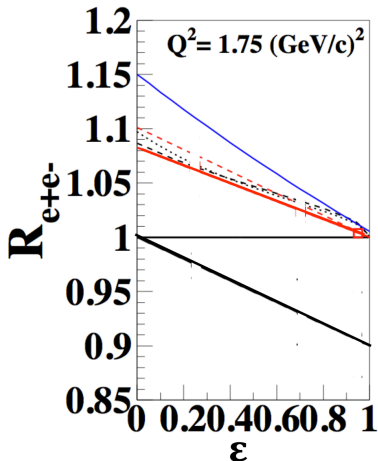
$$\delta_{2\gamma} = \frac{2\text{Re}(A_{2\gamma})}{A_{born}}$$

- We can calculate this very well (QED)
- Theoretical calculation of the diagram is hard : Need to integrate over all baryon states
- The  $e^-p/e^+p$  ratio measures the real part of the TPE contribution

# Phenomenology

## Phenomenological TPE Extractions

(to make Rosenbluth and Polarization Transfer  $G_E^p$  agree)

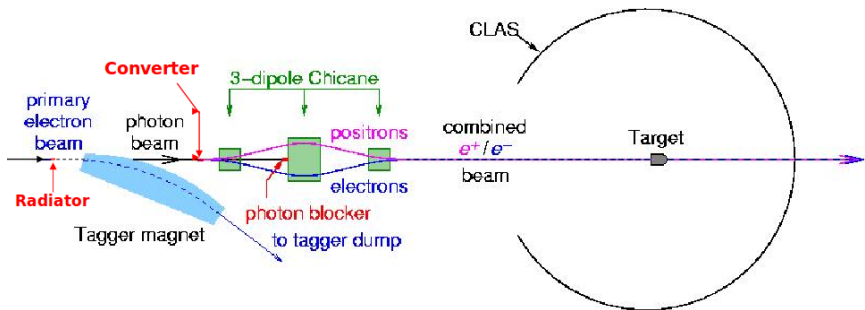


Parametrize the TPE amplitude and then fit the  $e^+/e^-$  ratio to the rosenbluth and polarization transfer data

Different  $e^+/e^-$  ratios can explain the  $G_E^p$  discrepancy

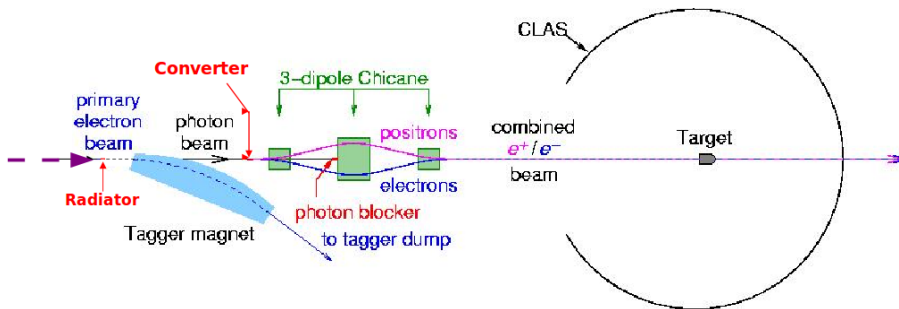
Qattan, Alsaad and Arrington, ArXiv [arXiv:1109.1441](https://arxiv.org/abs/1109.1441)

# Making Positrons at CLAS



- **Primary electron beam:** 5.5 GeV and 100-120 nA
- Radiator: 0.9% of primary electrons radiate high energy photons
- Tagger magnet: Transport electrons tagger dump
- Converter: 9% of photons are converted to electron/positron pairs
- Chicane: separate the lepton beams
  - Remaining photons are stopped at the photon blocker
  - $e^+$  and  $e^-$  beams are then recombined and continue to the target
- Target: liquid hydrogen: length = 18cm (30 cm) & diameter = 6cm (6 cm)
- Detector: CLAS (DC, TOF)

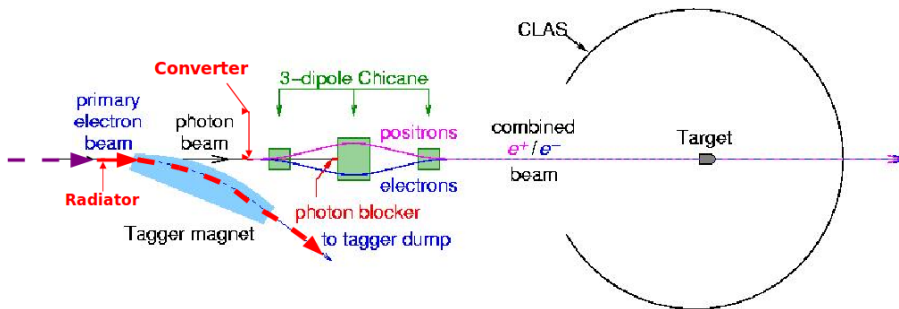
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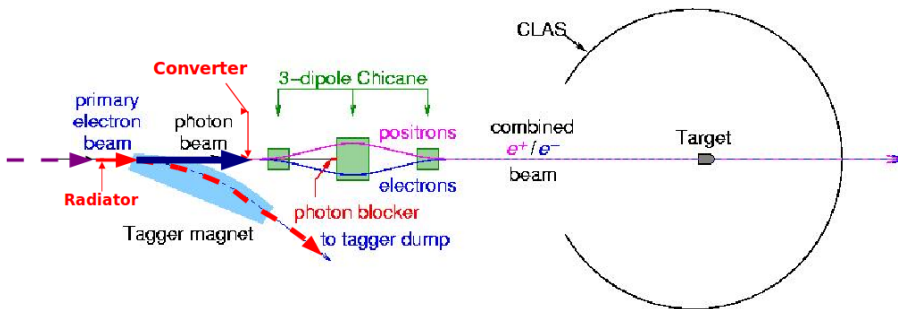


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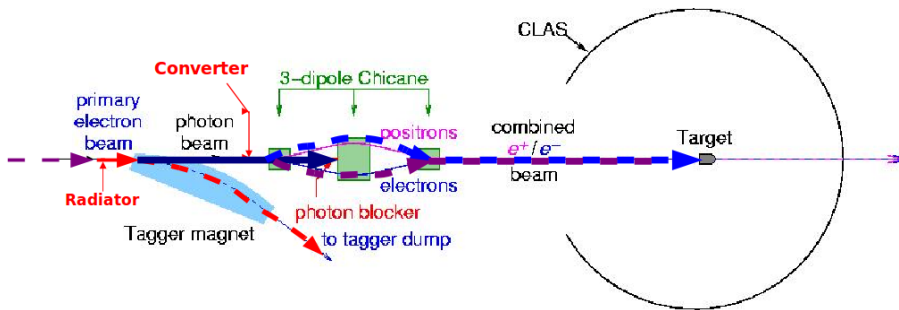
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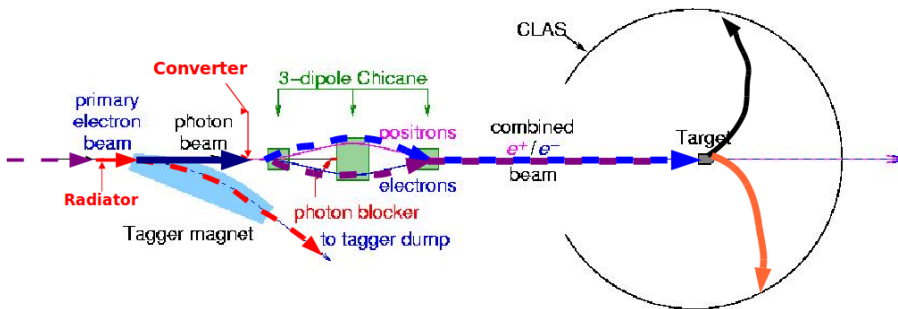
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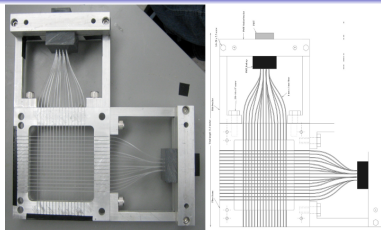
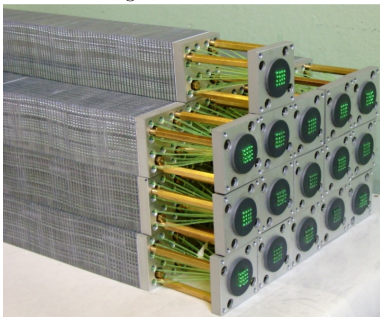
# Beam Line Modification for TPE



# Beam Profiling

## TPE Calorimeter

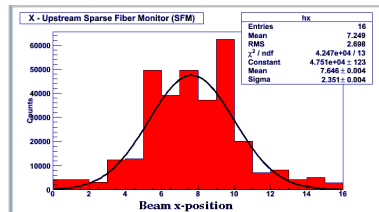
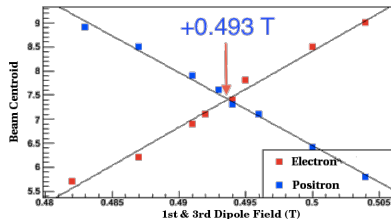
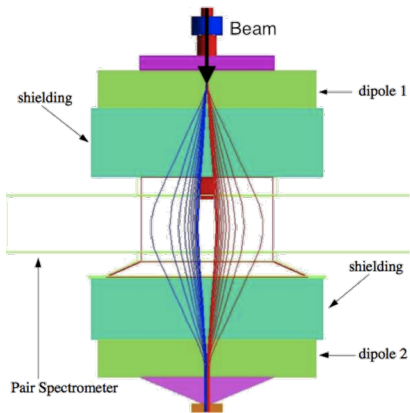
- Measure beam energy vs position during low luminosity run
- 30 module Shashlik (Pb/Scint) calorimeter
- Located directly downstream of CLAS on the forward carriage



## Fiber Monitors

- 16x16 Sparse fiber monitor continually monitoring beam profile before the target
- 64x64 Dense fiber monitor mounted on TPE Calorimeter face for beam profiling during low luminosity runs
- Bicon fibers spaced 5 mm (1mm) apart glued to a Hamamatsu PMT
- Beam size  $\sim 15$  mm radius

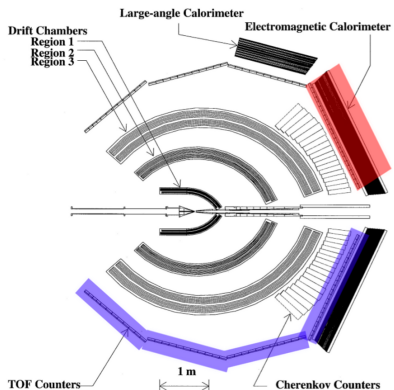
# Systematic Beam Checks



- Flipped chicane polarity about once a week
- Check for geometric alignment of  $e^-/e^+$  on target – Varied steering magnet currents and measured individual beam positions at sparse fiber monitor
- Reproducible crossing for all chicane flips



# Triggering, Cuts and Corrections



- 1 Trigger on particle in forward  $45^\circ$  and anything in opposite sector
- 2 Target vertex cut ( $-45 \text{ cm} \leq V_z \leq -15 \text{ cm}$ )
- 3 Momentum Corrections
- 4 Proton energy loss corrections
- 5 Fiducial Cuts
- 6 Swimming – Acceptance matching ++ and +- events

EC and TOF ( $\theta < 45^\circ$ ) and opposite sector TOF

# Non-Standard PID & Elastic Event Selection

- 1 Select ++ and +- track pairs
- 2 Coplanarity cut ( $\phi_{proton} - \phi_{lepton} \approx 180^0$ )
- 3 Reconstructed Beam Energy:

$$\begin{aligned}
 E_1 &= M_P \left[ \frac{1}{\tan(\theta_e/2) \tan(\theta_P)} - 1.0 \right] \\
 E_2 &= P_e \cos(\theta_e) + P_p \cos(\theta_P) \\
 \Delta E_{Beam} &= E_1 - E_2
 \end{aligned}$$

- 4 Scattered lepton Energy:

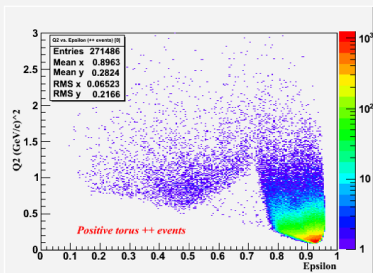
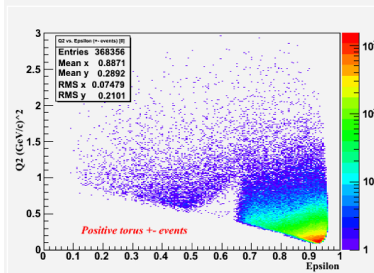
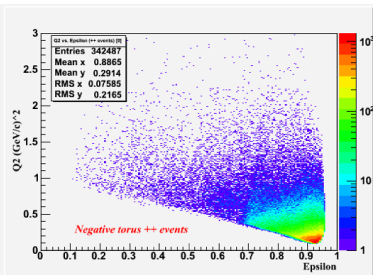
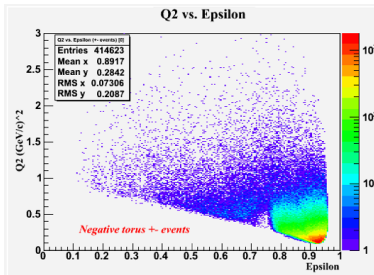
$$\Delta E'_e = E_{measured}^e - E^e(\theta_e, \theta_p)$$

- 5 Proton Momentum:

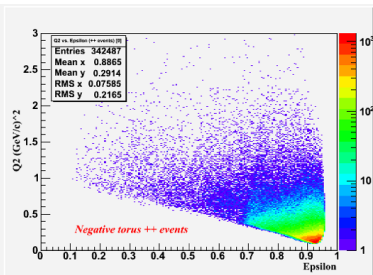
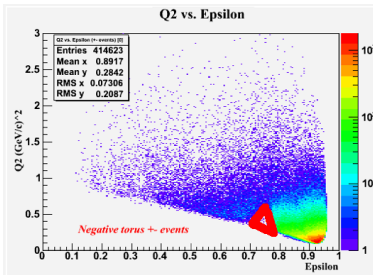
$$\Delta P(p) = P_p - \frac{P_e \sin(\theta_e)}{\sin(\theta_p)}$$

(1)

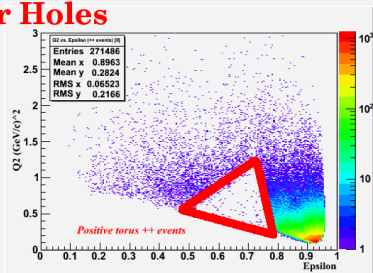
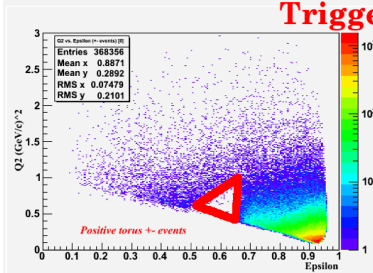
# $Q^2$ vs $\epsilon$ (TPE II 2010-2011)



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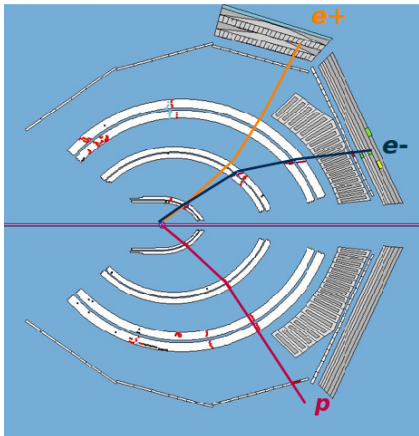


## Trigger Holes

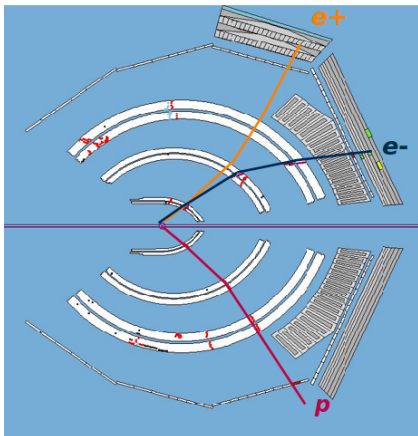


# Ratios

- 1 Apply fiducial cuts to select regions where both  $e^-$  and  $e^+$  can both be detected



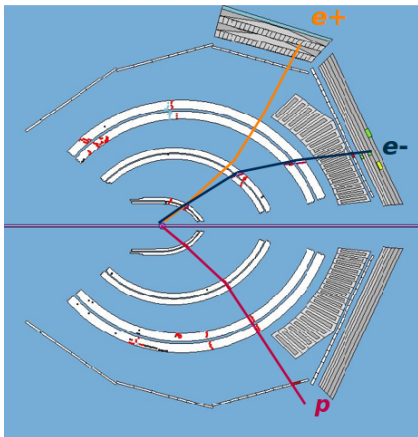
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Proton acceptance cancels in the ratio

$$R = \frac{Y(e^+P)}{Y(e^-P)}$$

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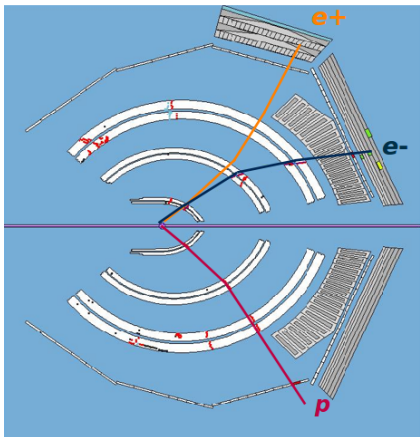
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- 3 Flip torus polarity : Lepton acceptance cancels in double ratio

$$R_2 = \sqrt{\left[\frac{Y_{e^+P}}{Y_{e^-P}}\right]^+ \times \left[\frac{Y_{e^+P}}{Y_{e^-P}}\right]^-}$$

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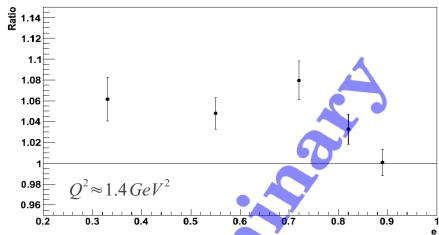
- 4 Flip chicane polarity: Beam asymmetries cancel in quadruple ratio

$$R_4 = \sqrt{R_2^+ \times R_2^-}$$

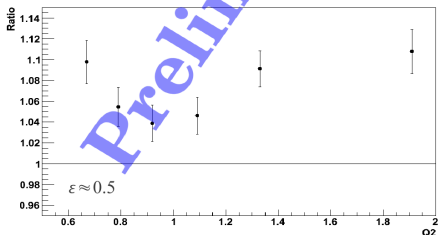


# Preliminary Results

Ratio - Background subtracted (3 magnet cycles)

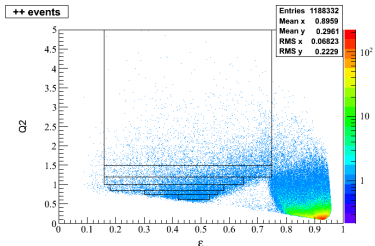
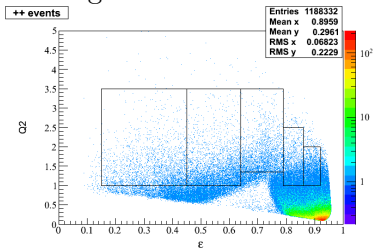


Ratio - Background subtracted (3 magnet-cycles)



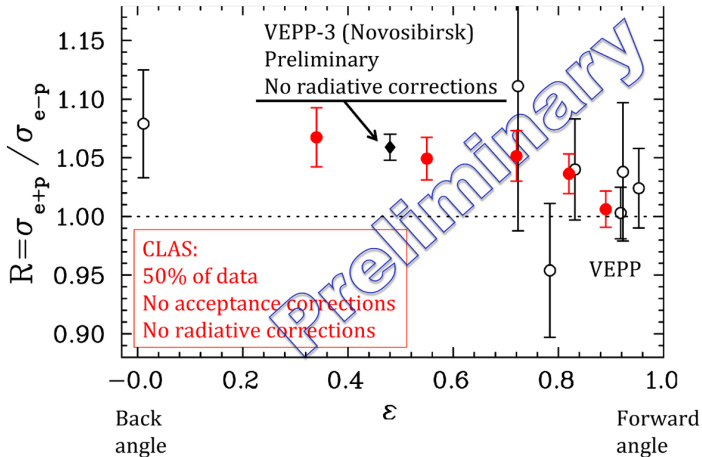
$\approx 75\%$  of total data set

## Binning



# Comparison to World Data

$$Q^2 > 1$$





# Advantages of Hall D TPE

- 1 12(9) GeV upgrade will provide much larger phase space – The  $G_E^P$  discrepancy grows with  $Q^2$  ( $\approx$  factor of 3 at  $Q^2 = 6\text{GeV}$ )
- 2 Hall D can select high energy photon beam
- 3 Photon beam is created in a separate building
  - Tracking efficiency suffered from high background rates
  - Limited our ability to push beam luminosity
- 4 There looks to be room to install the chicane in the alcove
  - Lots of shielding – wall off the alcove
- 5 Symmetric tracking of positively and negatively charged particles
- 6 Other programs interested in  $e^+$  beam can piggy-back (e.g. DVCS)

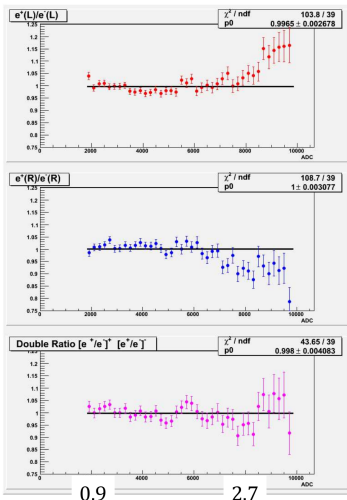
# Outstanding Hall D TPE Questions

- 1 Is the aperture at the target is wide enough. The tertiary beam we produced in Hall B was 5cm wide.
  - The start counter might be in the way
  - Can the start counter be removed and reinstalled without causing too much pain to Hall D?
- 2 Can the Hall-D solenoid magnetic field be reversed easily and in a repeatable way?
  - Unexpected detector asymmetries can cancel
- 3 Radiator thickness?
  - We used a 0.9% radiator in Hall B – Can we go thicker in Hall D?
- 4 What kind of dose can the tagger detectors handle?
  - We calculated that we would deposit several mega-Rad on the Hall B taggers, so we removed the plastic scintillators.
- 5 What  $p$ ,  $\theta$  and  $\phi$  resolution can we achieve for  $e^+/e^-$ ?
  - We will have to rely on over constrained kinematics to reconstruct the beam energy, since we would using brems beam
- 6 Any show stoppers I missed?

Thank you

# Thank you

# Beam Asymmetry



Incident lepton energy (GeV approx)

## Beam asymmetries cancel in the super ratio

Normalized to incident beam charge

Left side of chicane:  
Ratio of  $e^+$  to  $e^-$

Right side of chicane:  
Ratio of  $e^+$  to  $e^-$

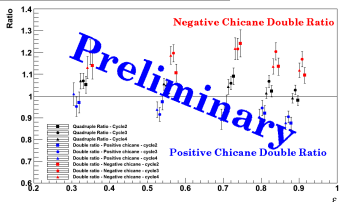
Combined  $e^+/e^-$  ratio  
 $\chi^2 / \text{ndf} = 44 / 39$   
 $p_0 = 0.998 \pm 0.004$

The chicane has a left/  
right asymmetry, not  
an  $e^+/e^-$  asymmetry

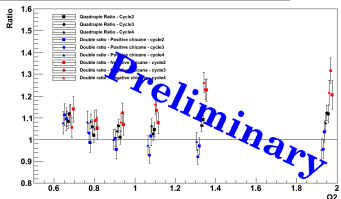


# Magnet Cycle Dependence

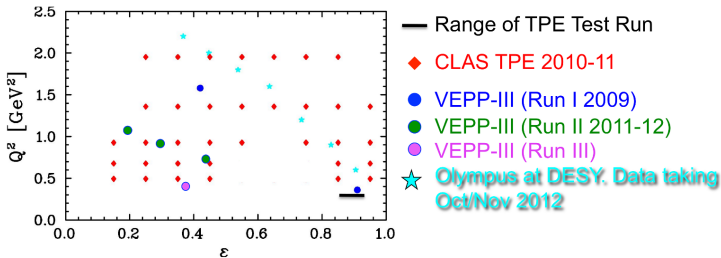
Ratio - Background subtracted magnet cycle2, cycle3 and cycle4



Ratio - Background subtracted with sampling for magnet cycle2, cycle3 and cycle4

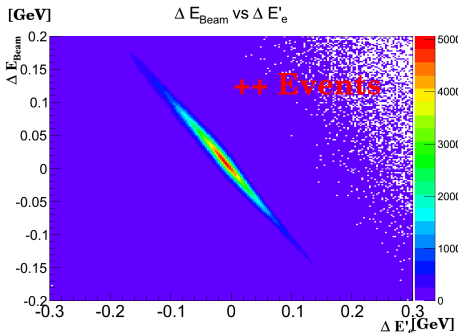
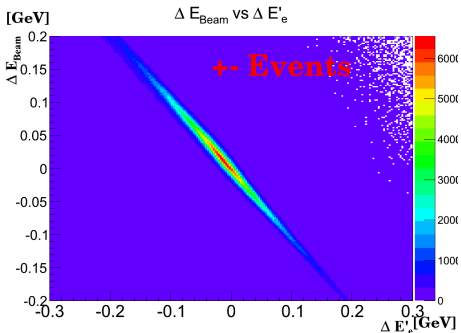


# Comparison of Kinematic Coverage



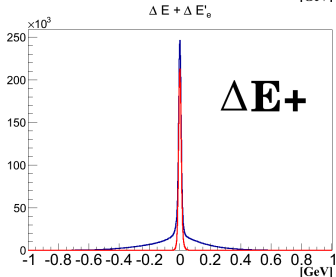
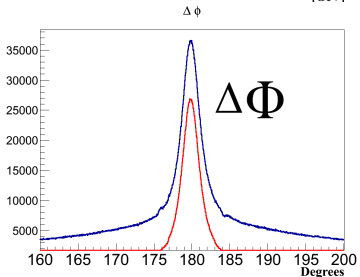
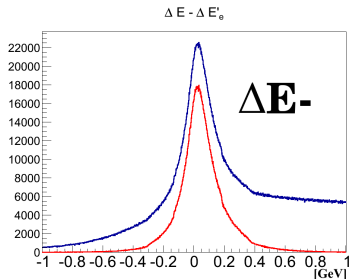
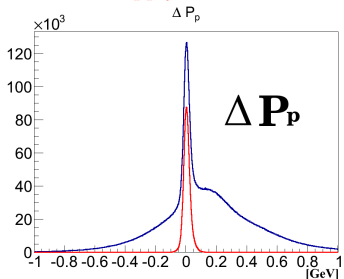
# $\Delta E_{Beam}$ vs $\Delta E'_e$

$\Delta E$  and  $\Delta E'_e$  are correlated, so we cut on the sum ( $\Delta E+$ ) and difference ( $\Delta E-$ )

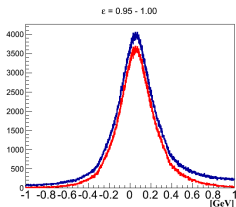
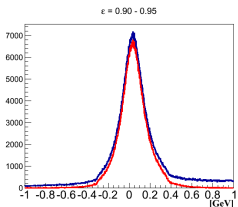
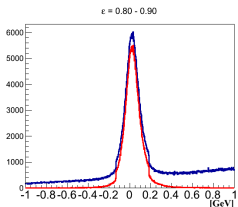
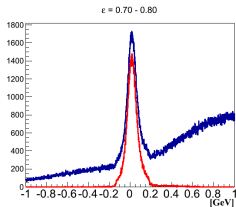
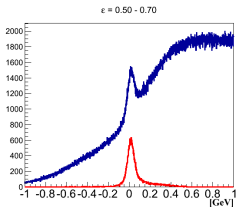
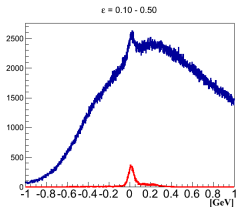


# Kinematic Cuts

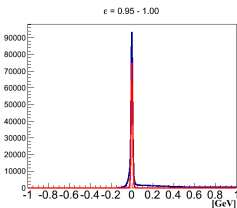
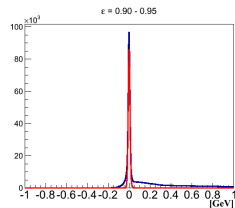
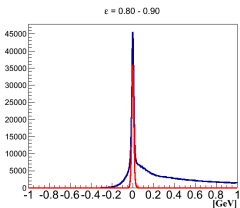
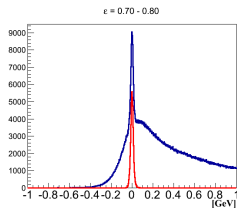
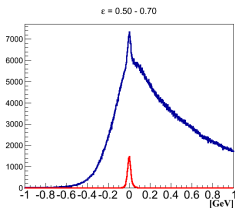
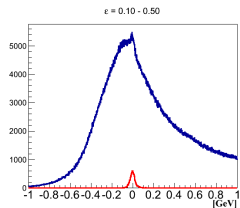
No cuts    Apply other 3 kinematic cuts



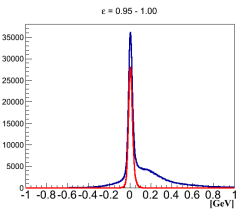
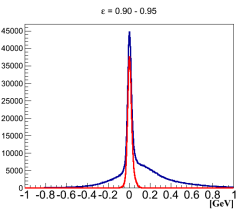
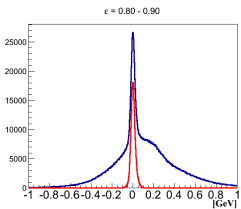
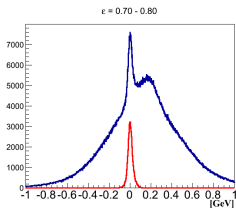
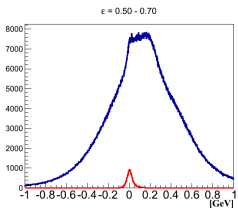
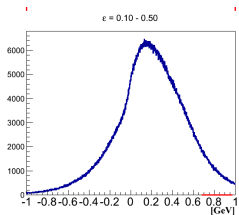
# $\Delta E$ —: $\varepsilon$ Dependence



# $\Delta E_+$ : $\varepsilon$ Dependence



# $\Delta P_p : \epsilon$ Dependence



# Personnel

## ① Spokes Persons

- Larry Weinstein, Brian Raue, Will Brooks, John Arrington, Andrei Afanasev & Kyungseon Joo

## ② Post Docs

- Puneet Khetarpal
- Mauri Ungaro
- Robert Bennett

## ③ Graduate Students

- Dasuni Adikaram
- Dipak Rimal
- Cristian Peña
- Hashir Rashad